Be Sensitive and Collaborative: Analyzing Impact of Coverage Metrics in Greybox Fuzzing

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Abstract

Coverage-guided greybox fuzzing has become one of the most common techniques for finding software bugs. Coverage metric, which decides how a fuzzer selects new seeds, is an essential parameter of fuzzing and can significantly affect the results. While there are many existing works on the effectiveness of different coverage metrics on software testing, little is known about how different coverage metrics could actually affect the fuzzing results in practice. More importantly, it is unclear whether there exists one coverage metric that is superior to all the other metrics. In this paper, we report the first systematic study on the impact of different coverage metrics in fuzzing. To this end, we formally define and discuss the concept of sensitivity, which can be used to theoretically compare different coverage metrics. We then present several coverage metrics with their variants. We conduct a study on these metrics with the DARPA CGC dataset, the LAVA-M dataset, and a set of real-world applications (a total of 221 binaries). We find that because each fuzzing instance has limited resources (time and computation power), (1) each metric has its unique merit in terms of flipping certain types of branches (thus vulnerability finding) and (2) there is no grand slam coverage metric that defeats all the others. We also explore combining different coverage metrics through cross-seeding, and the result is very encouraging: this pure fuzzing based approach can crash at least the same numbers of binaries in the CGC dataset as a previous approach (Driller) that combines fuzzing and concolic execution. At the same time, our approach uses fewer computing resources.

1 Introduction

Greybox fuzzing generally contains three major stages: seed scheduling, seed mutation, and seed selection. From a set of seed inputs, the seed scheduler picks the next seed for testing. Then, more test cases are generated based on the scheduled seeds through mutation and crossover in the seed mutation stage. Finally, test cases of good quality are selected as new seeds to generate more test cases in the future rounds of fuzzing. Among these stages, seed selection is the most important one as it differentiates greybox fuzzing from blackbox fuzzing and determines the goal of the fuzzer. For example, when the goal is to improve coverage, we use a coverage metric to evaluate the quality of a test case, and when the goal is to reach a particular code point, we can use distance to evaluate the quality of a test case [2]. Note that although previous studies [14, 17] have shown that better coverage of test suite is not directly related to a better quality of the tested software, the observation that under-tested code is more likely to have bugs still holds. For this reason, coverage-guided greybox fuzzing still works very well in practice.

Although various techniques have been proposed to improve greybox fuzzing at the seed scheduling stage [2, 3, 27, 29] and the seed mutation stage [21, 28, 29, 37, 54], very few efforts focus on improving seed selection. HonggFuzz [40] only counts the number of basic blocks visited. AFL [38] utilizes an improved branch coverage that also counts how many times a branch is visited. Angora [7] further extends the branch coverage to be context-sensitive. More importantly, many critical questions about coverage metrics remain unanswered.

First, how do we uniformly define the differences among different coverage metrics? Coverage metrics can be categorized into two major categories: code coverage and data coverage. Code coverage metrics evaluate the uniqueness among test cases at the code level, such as line coverage, basic block coverage, branch/edge coverage, and path coverage. Data coverage metrics, on the other hand, try to distinguish test cases from a data accessing perspective, such as memory addresses, access type (read or write), and access sequences. While many new metrics have been proposed individually in recent works,
there is no systematic and uniform way to characterize the
differences among them. Apparently, different coverage met-
rics have very distinct capability of differentiating test cases,
which we refer to as sensitivity. For example, block coverage
could not tell the difference between visits to the same basic
block from different preceding blocks, while branch coverage
can. Therefore, branch coverage is more sensitive than block
coverage. A systematic and formal definition of sensitivity
is essential as it can not only tell the differences among cur-
cent metrics but also guide future research to propose more
metrics.

Second, is there an optimal coverage metric that outper-
forms all the others in coverage-guided fuzzing? Although
sensitivity provides us a way to compare the capability of
two coverage metrics in discovering interesting inputs, a
more sensitive coverage metric does not always lead to better
fuzzing performance. More specifically, fuzzing can be mod-
eled as a multi-armed bandit (MAB) problem [51] where each
stage (seed selection, scheduling, and mutation) has multiple
choices, and the ultimate goal is to find more bugs with a
limited time budget. A more sensitive coverage metric may select
more inputs as seeds, but the fuzzer may not have enough time
budget to schedule all the seeds or mutate them efficiently.
Implementation details such as how coverage is actually mea-
sured can further complicate this problem. For instance, a
previous study [12] has shown that hash collisions could re-
duce the actual sensitivity of a coverage metric. A systematic
evaluation is essential to understand the relationship between
sensitivity and fuzzing performance better.

Third, is it a good idea to combine different metrics during
fuzzing? Hypothetically, if different coverage metrics have
their own merits during fuzzing, then it would make sense to
combine them so that different metrics could contribute dif-
ferently. This question is also crucial as it motivates different
thinking and may lead to strategies for improving fuzzing.

To answer the questions mentioned above, we conduct the
first systematic study on the impact of coverage metrics on
the performance of coverage-guided fuzzing. In particular,
we formally define and discuss the concept of sensitivity to
distinguish different coverage metrics. Based on the different
levels of sensitivity, we then present several representative
coverage metrics, namely “basic branch coverage,” “context-
sensitive branch coverage,” “n-gram branch coverage,” and
“memory-access-aware branch coverage,” as well as their vari-
ants. Finally, we implement six coverage metrics in a widely-
used greybox fuzzing tool, AFL [38], and evaluate them with
large datasets, including the DARPA CGC dataset [4], the
LAVA-M dataset [42], and a set of real-world binaries. The
highlighted findings are:

- Many of these more sensitive coverage metrics indeed
  lead to finding more bugs as well as finding them signifi-
cantly faster.

Figure 1: The workflow of coverage-guided greybox fuzzing.

- Different coverage metrics often result in finding dif-
  ferent sets of bugs. Moreover, at different times of the
  whole fuzzing process, the best performer may vary. As
  a result, there is no grand slam coverage metric that can
  beat others.

- A combination of these different metrics can help find
  more bugs and find them faster. Notably, using less com-
  puting resources, a combination of fuzzers with different
  coverage metrics is able to find at least the same amount
  of bugs in the CGC dataset as Driller, a hybrid fuzzer
  augmented AFL with concolic execution did [35].

To facilitate further research on this topic, we have made
the source code and dataset available at https://github.
com/bitsecurerlab/afl-sensitive.

2 Background

In this section, we provide the background information about
coverage-guided greybox fuzzing, with a focus on the seed
selection.

2.1 Coverage-guided Greybox Fuzzing

Coverage-guided greybox fuzzing generates inputs (or test
cases) incrementally via a feedback loop. Specifically, there
are three main stages, as illustrated in Figure 1. (1) Seed
scheduling: a seed is picked from a set of seeds according
to the scheduling criteria. (2) Seed mutation: within a lim-
ited time budget, new test cases are generated by performing
various mutations on the scheduled seed. (3) Seed selection:
each generated test case is fed to the program under test and
evaluated based on the coverage metric; if the testcase leads
to new coverage, it will be selected as a new seed. As this
feedback loop continues, more coverage will be reached, and
hopefully, a test case will trigger a bug.

2.2 Seed Selection

A seed selection strategy determines the trend and speed of
the evolution of the fuzzing process. Essentially, a good seed
selection strategy needs to solve two essential problems: (1) how to collect coverage information and (2) how to measure the quality of test cases.

**Coverage Information Collection.** AFL instruments the program under test to collect and compute the coverage. There are two instrumentation approaches. When the source code of the program under test is available, a modified Clang compiler is used to insert the coverage calculation logic into the compiled executable at assembly level (normal mode) or intermediate representation level (fast mode). When the source code is not available, a modified user-mode QEMU is used to run the binary code of the tested program directly, and the coverage calculation logic is inserted during the binary translation phase. VUzzer [29] uses PIN [41] to perform binary instrumentation to collect the information. HonggFuzz [40] and kAFL [31] use hardware branch tracers like Intel Process Tracing (PT) to collect coverage information and DigTool [25] uses a hypervisor to collect coverage information from OS kernels.

**Test Case Measurement.** The quality of test cases is measured by leveraging coverage metrics. HonggFuzz [40] and VUzzer [29] use basic block coverage metric that tracks visits of basic blocks. AFL [38] uses an improved branch coverage metric that could differentiate the visits to the same block from different preceding blocks. LibFuzzer [43] can use either block coverage or branch coverage. A more recent work Angora [7] extends the branch coverage metric with a calling context. Another important aspect is how the metric is really measured. Since coverage is measured during the execution of each test case, fuzzers usually prefer simpler implementations to improve the fuzzing throughput. For example, AFL identifies a branch using a simple hash function (Equation 1). Unfortunately, this approximation could reduce the effective sensitivity of a coverage metric due to hash collisions [12].

**3 Sensitivity and Coverage Metrics**

In this section, we formally define and discuss the concept of the sensitivity of a coverage metric. Accordingly, we present several coverage metrics that have different sensitivities.

**3.1 Formal Definition of Sensitivity**

When comparing different coverage metrics, a central question is “is metric A better than metric B?” To answer this question, we need to take a look at how a mutation-based greybox fuzzer finds a bug. In mutation-based greybox fuzzing, a bug triggering test case is reached via a chain of mutated test cases. In this process, if an intermediate test case is deemed “uninteresting” by a coverage metric, the chain will break and the bug triggering input may not be reached. Based on this observation, we decide to define sensitivity as a coverage metric’s ability to preserve such mutation chains.

To formally describe this concept, we first need to define a coverage metric as a function $C : (P \times I) \rightarrow M$, which produces a measurement $M \in M$ when running a program $P \in P$ with an input $I \in I$. Given two coverage metrics $C_i$ and $C_j$, $C_i$ is “more sensitive” than $C_j$, denoted as $C_i \succ C_j$, if

1. $\forall P \in P, \forall I_1, I_2 \in I, C_i(P, I_1) = C_i(P, I_2) \rightarrow C_j(P, I_1) = C_j(P, I_2)$, and
2. $\exists P \in P, \forall I_1, I_2 \in I, C_i(P, I_1) = C_i(P, I_2) \land C_i(P, I_1) \neq C_j(P, I_2)$

The first condition means, for any program $P$, if any two inputs $I_1$ and $I_2$ produce the same coverage measurement using $C_i$; then they must produce the same measurement using $C_j$, i.e., $C_j$ is always not more discriminative than $C_i$. The second condition means, there exists at least a program $P$ such that two inputs $I_1$ and $I_2$ would produce the same measurement using $C_i$ but different measurements using $C_j$, i.e., $C_i$ can be more discriminative than $C_j$.

**3.2 Coverage Metrics**

In this subsection, we introduce several coverage metrics and their approximated measurement. Then we compare their sensitivity.

**Branch Coverage** Branch coverage is a straightforward yet effective enhancement over block coverage, which is the most basic one that can only tell which code block is visited. By involving the code block preceding the currently visited one, branch coverage can differentiate the visits of the same code block from different predecessors. Branch here means an edge from one code block to another one.

Ideally, branch coverage should be measured as a tuple $(\text{prev\_block, cur\_block})$, where $\text{prev\_block}$ and $\text{cur\_block}$ stand for the previous block ID and the current block ID, respectively. In practice, branch coverage is usually measured by hashing this tuple (as key) into a hash table (e.g., a hit_count map). For example, the state-of-the-art fuzzing tool AFL identifies a branch as:

$$\text{block\_trans} = (\text{prev\_block} <<< 1) \oplus \text{cur\_block} \quad (1)$$

where branch ID is calculated as its runtime address. The $\text{block\_trans}$ is then used as the key to index into a hash map to access the $\text{hit\_count}$ of the branch, which records how many times the branch has been taken. After a test case finishes its execution, its coverage information is compared with the global coverage information (i.e., a global $\text{hit\_count}$ map). If the current test case has new coverage, it will be selected as a new seed.

Although branch coverage is widely used in mainstream fuzzers, its sensitivity is low. For instance, considering a
branch within a function that is frequently called by the program (e.g., `strcmp`). When the branch is visited under different calling contexts, branch coverage will not be able to distinguish them.

**N-Gram Branch Coverage** After incorporating one preceding block in branch coverage, it is intuitive to incorporate more preceding basic blocks as history into the current basic block. We refer to this coverage metric as *n*-gram branch coverage, where *n* is a configurable parameter that indicates how many continuous branches are considered as one unit, and any changes of them will be distinguished. When *n* = 0, n-gram branch coverage is reduced to block coverage. On the opposite extreme, when *n* → ∞, n-gram branch coverage is equivalent to path coverage because it incorporates all preceding branches into the context and any change in the execution path will be treated differently.

Ideally, n-gram branch coverage should be measured as a tuple (block₁, ..., blockₙ₊₁). For efficiency, we propose to hash the tuple as a key into the hit_count map as (prev_block_trans << 1) ⊕ curr_block_trans, where

\[
\text{prev_block_trans} = (\text{block}_n \oplus \cdots \oplus \text{block}_{n-1})
\]

In other words, we record the previous *n* − 1 block transitions (calculated as in Equation 1) and XOR them together, left shift 1 bit, and then XOR with the current block transition.

Now an interesting question is: what is the best value for *n*? If *n* is too small, it might be almost the same as branch coverage. If *n* is too large, it may cause seed explosion (a similar phenomenon as path explosion). Fuzzing progress would be even slower due to the enormous amount of seeds.

To answer this question empirically, we adapt AFLFast to n-gram branch coverage where *n* is set to 2, 4, and 8. We will evaluate these settings in §4.

**Context-Sensitive Branch Coverage** A function lies between a basic block and a path with respect to the granularity of code. Therefore, calling context is another important piece of information that can be incorporated as part of the coverage metric, which allows a fuzzer to distinguish the same code executed with different data. We refer to this coverage metrics as “context-sensitive coverage metric.”

Ideally, context-sensitive branch metric should be measured as a tuple (call_stack, prev_block, curr_block). For efficiency, we define a calling context `call_ctx` as a sequence of program locations where function calls are made in order:

\[
\text{call_ctx} = \begin{cases} 
0 & \text{initial value} \\
\text{call_ctx} \oplus \text{call_next_insn} & \text{if call} \\
\text{call_ctx} \oplus \text{ret_to_insn} & \text{if ret}
\end{cases}
\]

Then the key-value pair stored in the bitmap will be now calculated as `call_ctx` ⊕ `block_trans`.

Initially, the calling context value `call_ctx` is set to 0. Then during the program execution, when encountering a call instruction, we XOR the current `call_ctx` with the instruction’s position immediately next to the call instruction and store the result in `call_ctx`. Similarly, when encountering a return instruction, we XOR the current `call_ctx` with the return address. In this way, a small value `call_ctx` efficiently accumulates function calls made in sequence and eliminates function calls that have returned.

**Memory-Access-Aware Branch Coverage** In addition to leveraging extra control flow information as stated above, data flow information also deserves to be considered. Based on the intuition that a primary focus of fuzzing is to detect memory-corruption vulnerabilities, memory access information can be of great help in measuring coverage. Fundamentally, memory corruption exhibits an erroneous memory access behavior. Therefore, it makes sense to select seeds that exhibit distinct memory access patterns.

In general, this memory-access aware coverage metric is more sensitive than branch coverage. Because if a new test case reaches a branch that has been covered by prior test cases, but at least one new memory location is accessed, this test case will still be considered as “interesting” in memory-access aware coverage metric and kept as a seed.

There can be many ways to characterize memory access patterns. In this paper, we investigate one design option. We instrument memory access operations of the program under test, and define each memory access as a tuple `(type, addr, block_trans)`, where `type` represents access type (read or write), `addr` is the accessed memory location, and `block_trans` means after which branch this memory access is performed.

For efficiency, we propose to calculate the hash key as `(block_trans ⊕ mem_ac_pnt)`, where

\[
\text{mem_ac_pnt} = \begin{cases} 
\text{mem_addr} & \text{if read} \\
\text{mem_addr} + \text{half_map_size} & \text{if write}
\end{cases}
\]

Note that reads are distinguished from writes by allocating their keys to different half regions of the map.

Since memory corruption is mainly caused by memory writes, it is meaningful to investigate a variant of memory access coverage: “memory-write-aware branch coverage.” That is, we only instrument and record memory writes, but not reads, making it less sensitive.

### 3.3 Sensitivity Lattice

Obviously, > is a strict partial order, because it is asymmetric (if C₁ > C₂, by no means C₂ > C₁), transitive (if C₁ > C₂ and C₂ > C₃, then C₁ > C₃), and irreflexive (Cᵢ > Cᵢ is not possible). However, it is not a total order, because it is possible that two metrics are not comparable.
We then conducted comprehensive experiments to evaluate different coverage metrics and obtaining a deeper understanding of their impact. Interestingly enough, we cannot compare path coverage with either memory-access-aware branch coverage or memory-write-aware branch coverage. Path coverage is not necessarily more sensitive because two inputs may follow the same path but exhibit different memory access patterns.

It is noteworthy that the coverage metrics presented here are a few representative ones but are by no means complete. We hope this work can stimulate research on developing more coverage metrics and obtaining a deeper understanding of their impact.

4 Evaluation

To answer the research questions raised in §1, we implemented all the coverage metrics mentioned in §3 except the basic branch coverage, which is already implemented in AFL. We then conducted comprehensive experiments to evaluate the performance of different coverage metrics. Moreover, to better understand how different coverage metrics working together could affect fuzzing; we also evaluate the combination of them.

4.1 Implementation

In this study, since our primary goal is to fuzz binaries without source code, we choose to add our instrumentation based on user-mode QEMU. For instance, for context-sensitive branch coverage, we instrument call and ret instructions to calculate calling context, and for memory-access-aware branch coverage, we instrument memory reads and writes. For n-gram branch coverage, we use a circular buffer to store the last n-block transitions, for efficient n-gram calculation.

For convenience, in the remainder of this paper, we use the following abbreviations to represent different metrics: bc represents the existing branch coverage in AFL, ct represents context-sensitive branch coverage, mw is short for memory-write-aware branch coverage, and ma represents memory-access-aware branch coverage. For n-gram branch coverage, we choose to implement three versions: 2-gram, 4-gram and 8-gram, and use n2, n4, and n8 for their abbreviations.

Furthermore, we adopted the seed scheduling of AFLFast [3] in our implementation. Since AFLFast inclines to allocate more fuzzing time on newly generated seeds, different coverage metrics will make a greater impact on fuzzing performance.

4.2 Dataset

We collect binaries from DARPA Cyber Grand Challenge (CGC) [4]. There are 131 binaries from CGC Qualifying Event (CQE) and 74 binaries from CGC Final Event (CFE), and thus 205 ones in total. These binaries are carefully crafted by security experts to utilize different kinds of techniques (e.g., complex I/O protocols and input checksums) and embed vulnerabilities in various ways (e.g., buffer overflow, integer overflow, and use-after-free) to comprehensively evaluate various vulnerability discovery techniques.

We also choose the LAVA-M Dataset [11, 42], which consists of four GNU coreutils programs (base64, md5sum, uniq, and who) for evaluation. Each of these binaries is injected with a large number of specific vulnerabilities. As a result, we treat these injected vulnerabilities as ground truth and use them to evaluate different coverage metrics.

In addition to the two datasets above, we also manage to collect 12 real-world applications with their latest versions (Table 1) and assess the performance of different coverage metrics in practice with them.

<table>
<thead>
<tr>
<th>Applications</th>
<th>Version</th>
<th>Applications</th>
<th>Version</th>
</tr>
</thead>
<tbody>
<tr>
<td>objdump+binutils</td>
<td>2.29</td>
<td>readelf+binutils</td>
<td>2.29</td>
</tr>
<tr>
<td>strings+binutils</td>
<td>2.29</td>
<td>nm+binutils</td>
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<td>size+binutils</td>
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<td>5.32</td>
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<td>tiffset+tiff</td>
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<td>tiff2pdf+tiff</td>
<td>4.0.9</td>
<td>gif2png</td>
<td>2.5.11</td>
</tr>
<tr>
<td>info2cap+ncurses</td>
<td>6.0</td>
<td>jhead</td>
<td>3.0</td>
</tr>
</tbody>
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Figure 2: Sensitivity Lattice for Coverage Metrics
4.3 Experiment Setup

Our experiments are conducted on a private cluster consisting of a pool of virtual machines. Each virtual machine has a Ubuntu 14.04.1 operating system equipped with 2.3 GHz Intel Xeon processor (24 cores) and 30GB of RAM. As fuzzing is a random process, we followed the recommendations from [20] and performed each evaluation several times for a sufficiently long period.

The tests are mainly focused on the CGC dataset. Specifically, each coverage metric is tested with every binary of the CGC dataset in the dataset using two fuzzing instances for 6 hours (i.e., similar to one instance running 12 hours). We chose this fuzzing time because almost all of the bugs found by fuzzers in CQE and CFE were reported within the first six hours. Moreover, in order to take the randomness of fuzzing into account, each test is performed ten times. The total evaluation time is around 60 days. For binaries with initial sample inputs, we utilized them as initial seeds; otherwise, we used an empty seed.

For the LAVA-M dataset, we tested each coverage metric separately for 24 hours and three times. We used the seed inputs provided by this benchmark and dictionaries of constants extracted from the binary as suggested in [44]. For the real-world dataset, we tested each coverage metric for 48 hours, with two fuzzing instances, and for six times. We used the example inputs from AFL as seeds whenever possible; otherwise with an empty seed.

4.4 Evaluation Metrics

To answer the question of whether there is an optimal coverage metric, we propose three metrics to quantify the experimental results and evaluate the performance of the presented coverage metrics:

- **Unique crashes.** A unique crash during fuzzing implies that a potential bug of the binary has been found. For the CGC dataset, each binary is designed to have a single vulnerability, so we did not perform any crash deduplication. For the LAVA-M dataset, each bug is assigned with a unique ID which is used for crash deduplication. For the real-world dataset, we utilize the hash of each crash’s backtrace for deduplication.

- **Time to crash.** This metric indicates how fast a given binary can be crashed by a fuzzer and is mainly for the CGC dataset. Because a CGC binary only has one vulnerability, this metric can be used to measure the efficiency of fuzzing with different coverage metrics.

- **Seed count.** A more sensitive coverage metric is more likely to convert a testcase into a seed, and thus the number of unique seeds may be larger. Therefore, this metric quantifies the sensitivity of each coverage metric in a practical sense.

4.5 Comparison of Unique Crashes

**CGC dataset** Figure 3 summarizes the number of crashed CGC binaries for each coverage metric across ten rounds of trials. Overall, the baseline metric bc crashed about 89 binaries on average and 91 binaries at most. Except for ma and mw, all other more sensitive coverage metrics (ct, n2, n4, n8) outperform bc. This result is encouraging: sensitivity does play an important role in finding crashes. However, as demonstrated by mw and ma, too much sensitivity could also have a negative impact on fuzzing performance. The reason is, more sensitive metrics will select more test cases as seeds (§4.7); when the time budget is limited, each seed will get less time to mutate or not get scheduled at all.

Next, we investigated each coverage metric’s ability to trigger individual bug/crash – is there any bug that is only triggered by one or a subset of the evaluated metrics but not the rest? To answer this question, we conducted a pairwise comparison on crashed binaries (Table 2). For each pair of coverage metrics i (in the row) and j (in the column), we first count the number of binaries that were only crashed by i but not by j, denoted as the number after the “/”. Since such
differences could be caused by randomness, we conducted a second experiment focusing on the impact of sensitivity. Specifically, during fuzzing, we recorded the chain of seeds that led to each crashing test case. Each chain starts with the initial seed and ends with the crashing test case. Afterward, for each pair of coverage metrics \((i, j)\), we checked whether each seed along the chain selected by \(i\) would also be selected by \(j\) as seed, without any additional mutation (i.e., fuzzing). In this process, we also discarded additional sensitivity (non-binary \(\text{hit} \_\text{count}\)) and insensitivity (key collision) introduced in implementation. The result is denoted as the number before the “/” in each cell of Table 2. For example, entry \((\text{ct}, \text{bc})\) indicates that there were 13 binaries crashed by \(\text{ct}\) but not by \(\text{bc}\), within which 9 crashes have at least one seed along the crashing chains that will be dropped by \(\text{bc}\). Similarly, entry \((\text{bc}, \text{ct})\) indicates that 6 binaries crashed by \(\text{bc}\) are not crashed by \(\text{ct}\), of which however none of the seeds along the crashing chain will be dropped by \(\text{ct}\). Besides, for a metric \(k\), entry \((\text{all}, k)\) indicates the number of binaries crashed by at least one of the other coverage metrics but not by \(k\), and entry \((k, \text{others})\) indicates the number of binaries only crashed by \(k\) but not by any other coverage metrics. Finally, entry \((\text{all}, \text{others})\) indicates the number of binaries crashed by at least one of all the seven coverage metrics.

We can see that the difference between any two coverage metrics is considerable. More importantly, there is no single winner that beats everyone else. Even for \(\text{ma}\), although it crashes the smallest amount of binaries in total, it contributes 2 unique crashed binaries beyond \(\text{bc}\), and 3, 2, 4, 4, and 2 unique crashed binaries beyond \(\text{ct}, \text{mw}, \text{n}2, \text{n}4, \text{and n}8\) respectively, of which the crashes have at least one seed along the crashing chains that will be dropped by the other metric. In other words, every coverage metric can make its own and unique contribution. This observation further motivates us to study the combination of different coverage metrics. We will discuss more in §4.8.

**LAVA-M dataset** Table 3 summarizes the bugs found on LAVA-M dataset by different coverage metrics, while the last column represents the number of bugs listed by LAVA authors. Compare to the CGC dataset, the LAVA-M dataset is not very suitable for our goal. In particular, most injected bugs are protected by a magic number, which is very hard to be solved by random mutation and cannot reflect unique abilities of different coverage metrics. Although we have followed the suggestions from [44] and used dictionaries of constant (magic) numbers extracted from the binary, we still cannot rule out the differences caused by not being able to solve the magic number. For binary \(\text{base}64, \text{md}5\text{sum}, \text{and uniq}\), the difference between different coverage metrics is small, except for \(\text{ma}\) in \(\text{md}5\text{sum}\) and \(\text{mw}\) in \(\text{uniq}\). For binary \(\text{who}\), it is surprising that in addition to \(\text{n}8, \text{ma}\) also finds much more unique bugs than \(\text{bc}\) and other three metrics, despite its poor performance on the CGC dataset.

**Real-world dataset** There are many crashes found for binaries in the real-world dataset. We use the open-source tool \(\text{afl-collect}\) [49] to de-duplicate these crashes and identify unique crashes. Overall, we have successfully found unique bugs in 5 real-world binaries as listed in Table 4. It is worth noting that for binary \(\text{objdump}, \text{size}, \text{and nm}\), only our newly proposed coverage metrics find unique bugs.

### 4.6 Comparison of Time to Crash

**CGC dataset** Since most CGC binaries only contain one bug, we then measure the time to first crash (TFC) for different coverage metrics across the ten rounds of trials. The accumulated number within a 95% confidence of binaries crashed over time is shown in Figure 4. The x-axis presents time in seconds while the y-axis shows the accumulated number of binaries crashed. For example, we can see that \(\text{n}4\) almost manages to crash more binaries than other coverage metrics in the first hour (3600 seconds) and \(\text{ma}\) performs the worst among them. We also see that all of the proposed coverage metrics other than \(\text{ma}\) and \(\text{mw}\) can help find crashes in binaries more quickly than the original AFL (bc). Moreover, although \(\text{n}4\) does not find the most crashes, it is the best one during the early stage (30 to 90 minutes). After 90 minutes, \(\text{ct}\) surpasses it and becomes one of the best performers. For the time each coverage metric spends on crashing individual binaries, please refer to Figure 11 in Appendix.

**LAVA-M dataset** Figure 5 presents the number of unique bugs found over time by different coverage metrics on the four binaries. We can see that the newly proposed coverage metrics outperform \(\text{bc}\) on all four binaries. Although \(\text{ma}\) is slower than others, it finally finds the same number of unique bugs on binary \(\text{base}64\) and \(\text{uniq}\). On binary \(\text{who}\), \(\text{ma}\) even finds quite more unique bugs. Moreover, \(\text{ct}\) and \(\text{n}8\) perform stably well across four binaries, and the latter one performs

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<thead>
<tr>
<th>Coverage Metrics</th>
<th>bc</th>
<th>ct</th>
<th>ma</th>
<th>mw</th>
<th>n2</th>
<th>n4</th>
<th>n8</th>
<th>Listed</th>
</tr>
</thead>
<tbody>
<tr>
<td>base64</td>
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<td>45</td>
<td>44</td>
<td>45</td>
<td>45</td>
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<td>44</td>
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</tr>
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<td>md5sum</td>
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<td>35</td>
<td>43</td>
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<td>uniq</td>
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<td>29</td>
<td>29</td>
<td>20</td>
<td>29</td>
<td>29</td>
<td>28</td>
<td></td>
</tr>
<tr>
<td>who</td>
<td>261</td>
<td>255</td>
<td>301</td>
<td>231</td>
<td>166</td>
<td>159</td>
<td>299</td>
<td>2136</td>
</tr>
</tbody>
</table>

**Table 4: Number of unique crashes found by different coverage metrics in the real-world dataset.**

<table>
<thead>
<tr>
<th>Coverage Metrics</th>
<th>bc</th>
<th>ct</th>
<th>ma</th>
<th>mw</th>
<th>n2</th>
<th>n4</th>
<th>n8</th>
</tr>
</thead>
<tbody>
<tr>
<td>afl2png</td>
<td>4</td>
<td>4</td>
<td>3</td>
<td>4</td>
<td>5</td>
<td>4</td>
<td>4</td>
</tr>
<tr>
<td>info2cap</td>
<td>1446</td>
<td>1063</td>
<td>481</td>
<td>99</td>
<td>568</td>
<td>933</td>
<td>943</td>
</tr>
<tr>
<td>objdump</td>
<td>–</td>
<td>–</td>
<td>–</td>
<td>–</td>
<td>1</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>size</td>
<td>–</td>
<td>1</td>
<td>–</td>
<td>–</td>
<td>1</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>nm</td>
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<td>1</td>
<td>–</td>
<td>–</td>
<td>–</td>
<td>–</td>
<td>1</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Coverage Metrics</th>
<th>bc</th>
<th>ct</th>
<th>ma</th>
<th>mw</th>
<th>n2</th>
<th>n4</th>
<th>n8</th>
</tr>
</thead>
<tbody>
<tr>
<td>afl2png</td>
<td>4</td>
<td>4</td>
<td>3</td>
<td>4</td>
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<td>4</td>
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<tr>
<td>info2cap</td>
<td>1446</td>
<td>1063</td>
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<td>99</td>
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<td>933</td>
<td>943</td>
</tr>
<tr>
<td>objdump</td>
<td>–</td>
<td>–</td>
<td>–</td>
<td>–</td>
<td>1</td>
<td>1</td>
<td>1</td>
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<tr>
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<td>–</td>
<td>1</td>
<td>–</td>
<td>–</td>
<td>1</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>nm</td>
<td>–</td>
<td>1</td>
<td>–</td>
<td>–</td>
<td>–</td>
<td>–</td>
<td>1</td>
</tr>
</tbody>
</table>
in theory, $ma > mw > bc$. We indeed observe these relations in the form of seed counts for $ma$, $mw$, and $bc$.

Table 5: The numbers of seeds generated by different coverage metrics on the LAVA-M dataset.

<table>
<thead>
<tr>
<th></th>
<th>bc</th>
<th>ct</th>
<th>ma</th>
<th>mw</th>
<th>n2</th>
<th>n4</th>
<th>n8</th>
</tr>
</thead>
<tbody>
<tr>
<td>base64</td>
<td>208</td>
<td>170</td>
<td>16372</td>
<td>200</td>
<td>196</td>
<td>273</td>
<td>425</td>
</tr>
<tr>
<td>md5sum</td>
<td>706</td>
<td>497</td>
<td>75323</td>
<td>71131</td>
<td>474</td>
<td>719</td>
<td>4958</td>
</tr>
<tr>
<td>uniq</td>
<td>104</td>
<td>52</td>
<td>43928</td>
<td>50178</td>
<td>77</td>
<td>92</td>
<td>153</td>
</tr>
<tr>
<td>who</td>
<td>223</td>
<td>144</td>
<td>14183</td>
<td>16511</td>
<td>190</td>
<td>271</td>
<td>470</td>
</tr>
</tbody>
</table>

LAVA-M dataset Table 5 lists seed counts generated by each coverage metric on the four binaries in the LAVA-M dataset. We can see that the observations for the CGC dataset still hold in general, with some outliers. For instance, the seed counts of $ct$ on all four binaries are smaller than those of $bc$. These numbers are not statistically significant, given such a small-scale dataset.

Table 6: The numbers of seeds generated by different coverage metrics on the real-world dataset.

<table>
<thead>
<tr>
<th></th>
<th>bc</th>
<th>ct</th>
<th>ma</th>
<th>mw</th>
<th>n2</th>
<th>n4</th>
<th>n8</th>
</tr>
</thead>
<tbody>
<tr>
<td>file</td>
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<td>38</td>
<td>38</td>
<td>19462</td>
<td>38</td>
<td>38</td>
<td>38</td>
</tr>
<tr>
<td>gif2png</td>
<td>1039</td>
<td>2037</td>
<td>151008</td>
<td>29606</td>
<td>804</td>
<td>1665</td>
<td>3840</td>
</tr>
<tr>
<td>gzip</td>
<td>1305</td>
<td>1340</td>
<td>124253</td>
<td>65035</td>
<td>1002</td>
<td>1875</td>
<td>5446</td>
</tr>
<tr>
<td>info2cap</td>
<td>4966</td>
<td>12555</td>
<td>76048</td>
<td>30136</td>
<td>4802</td>
<td>8831</td>
<td>17104</td>
</tr>
<tr>
<td>objdump</td>
<td>6015</td>
<td>42625</td>
<td>49401</td>
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<td>4978</td>
<td>8756</td>
<td>22914</td>
</tr>
<tr>
<td>readelf</td>
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<td>15317</td>
<td>91982</td>
<td>63009</td>
<td>8758</td>
<td>15425</td>
<td>35429</td>
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<tr>
<td>strings</td>
<td>61</td>
<td>62</td>
<td>1619</td>
<td>59</td>
<td>69</td>
<td>68</td>
<td>131</td>
</tr>
<tr>
<td>tiff2pdf</td>
<td>834</td>
<td>883</td>
<td>143902</td>
<td>2841</td>
<td>724</td>
<td>1108</td>
<td>2395</td>
</tr>
<tr>
<td>tiffset</td>
<td>2</td>
<td>2</td>
<td>2</td>
<td>2</td>
<td>2</td>
<td>2</td>
<td>2</td>
</tr>
<tr>
<td>size</td>
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<td>4860</td>
<td>111978</td>
<td>143693</td>
<td>1605</td>
<td>3003</td>
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<td>12566</td>
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<td>133460</td>
<td>73386</td>
<td>5947</td>
<td>10174</td>
<td>23322</td>
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<tr>
<td>jhead</td>
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<td>284</td>
<td>75328</td>
<td>29229</td>
<td>362</td>
<td>576</td>
<td>1376</td>
</tr>
</tbody>
</table>

Real-world dataset Table 6 lists seed counts generated by each coverage metric on the 12 real-world binaries. We can draw similar observations as on the CGC and LAVA-M datasets with some exceptions: the seed count distribution for $ct$ is no longer between $n4$ and $n8$ in general.

4.8 Combination of Coverage Metrics

From the evaluation results above, we observe that each coverage metric has its unique characteristics in terms of crashes found and crashing times. This observation leads us to wonder whether combining fuzzers with different coverage metrics together would find more crashes and find them faster. To answer this question, we consider two options for combination: (1) fuzzers with different coverage metrics are running in parallel and synchronizing seeds across all metrics periodically (i.e., cross-seeding); and (2) fuzzers with different coverage metrics are running in parallel but independently, as the baseline to show whether cross-seeding really helps.
To study these two options, we create three configurations of 14 fuzzing instances: (a) all 14 fuzzing instances with bc and seed synchronization; (b) 2 fuzzing instances for each of the 7 different coverage metrics with seed synchronization only within the same metric; and (c) 2 fuzzers for each of the 7 different coverage metrics with seed synchronization across all metrics (i.e., cross-seeding).

**CGC dataset** We run the three configurations each for six hours, and for three times to get median results on the CGC dataset. Figure 8 illustrates the number of binaries crashed over time for the three configurations. We can make the following observations. First, both combination options outperform the baseline by large margins, with respect to both the number of crashed binaries and crash times. The combination without cross-seeding (configuration b) crashes 78 CQE binaries, 31 CFE binaries, and 109 binaries in total. The one with cross-seeding (configuration c) crashes 77 CQE binaries, 33 CFE binaries, and 110 in total. Meanwhile, the baseline only crashes 64 CQE binaries, 30 CFE binaries, and 94 in total. It is a notable achievement: the hybrid fuzzer Driller [35] was able to crash 77 CQE binaries after 24 hours with the help of concolic execution, where each binary is assigned to four fuzzing instances and all binaries share a pool of 64 CPU cores for concolic execution, using totally 12,640 CPU hours (131 binaries × 4 cores × 24 hours + 60 cores × 24 hours). Compared with Driller, we can achieve the same or even better results by pure fuzzing with less computing resources (131 binaries × 14 cores × 6 hours = 11,004 CPU hours totally)!

Second, the blue line and the red line cross at around 3 hours. At this cross point, 105 binaries have been crashed for both configurations. It implies that the combination with cross-seeding is able to crash 105 binaries much earlier than the one without cross-seeding.

**LAVA-M and real-world datasets** We also run the three configurations each for 24 hours on LAVA-M dataset, and each for 48 hours on the real-world dataset. Figure 9 and Figure 10 present the results. We observed that the combination without cross-seeding always outperforms the baseline (14 fuzzers with bc only) by large margins. On the other hand, the combination with cross-seeding has inconsistent performance across these nine binaries. In some cases, it is even worse than the baseline. Unlike the result for the CGC dataset, this result is not statistically significant. However, it does indicate that sometimes, the overhead of cross-seeding may outweigh its benefits. Xu et al. [52] have shown that cross-seeding overhead is significant in parallel fuzzing and propose OS-level modifications for improving fuzzing performance. It would be interesting to re-evaluate the performance of the combi-

![Figure 5: Number of unique bugs found over time during fuzzing on the LAVA-M dataset.](image)

![Figure 6: Number of unique crashes found over time on real-world dataset. The x-axis presents TFC in 1000 seconds.](image)

![Figure 7: Partial CDFs of seeds generated by different coverage metrics on the CGC dataset. A curve closer to the top left indicates fewer generated seeds.](image)
nation with cross-seeding with these OS-level modifications. We leave it as future work.

In summary, it is better to combine different coverage metrics with or without cross-seeding, which can help find more bugs and find them faster.

5 Discussion and Future Work

In this section, we discuss several areas that can be potentially improved and explored in future work.

Precision and collision of coverage calculation For our presented coverage metrics, we adopt straightforward formulas for computing key-value pairs in the hit_count map, for the sake of efficiency, but at the cost of precision. For instance, Equation 3 uses a simple XOR for computing the calling context. As a result, it cannot differentiate a function being called twice from a function just returned. Similarly, Equation 2 XOR’s previous $n-1$ block transitions together to compute n-gram branch coverage. This computation omits the exact order among these $n-1$ block transitions, and thus loses precision. A related problem is hash collisions [12]. Simple formulas presented in this paper may end up computing the same key from two sets of different input values. Better formulas that improve precision and reduce collisions deserve more investigation. Note that although [12] has proposed a greedy algorithm to reduce collision, the proposed method only works for branch coverage and cannot be easily applied to other coverage metrics.

Application-aware coverage metric selection and resource allocation In Figure 2, we can see the presented coverage metrics are not in a total order in terms of sensitivity. This means different coverage metrics have either unique strength in breaking through a specific pattern of code like loops. From the evaluation results presented in §4, we also observe that (1) there is no "grand slam" metric that beats all other metrics; and (2) even for metrics whose sensitivities are in total order (e.g., $bc$, $n2$, $n4$, $n8$), the most sensitive one is not always better. In this paper, we explored a simple combination of them and allocated computing resources equally among them. Because fuzzing can be modeled as a multi-armed bandit (MAB) problem [51] that aims to find more bugs with a limited time budget, previous work has shown how to improve the performance of fuzzing through adaptive mutation ratio [6]. Similarly, it might be possible to conduct static or dynamic analysis on each tested program to determine which coverage metric is more suitable. This decision may also change over time, so a resource allocation scheme might be useful to allocate computing resources among different coverage metrics dynamically.

6 Related Work

In §2 we have highlighted some related work on greybox fuzzing. In this section, we briefly discuss some additional work related to fuzzing.

Fuzzing was first introduced to test the reliability of UNIX utilities [22] in a blackbox way. Since then blackbox fuzzing has been widely used and developed that results in several mature tools such as Peach [46] and Zzuf [50]. There are many research works on improving it. For instance, Woo et al. [51] evaluate more than 20 seed scheduling algorithms using a mathematical model to find the one leading to the greatest number of found bugs within the given time budget. SYMFUZZ [6] optimizes the mutation ratio to maximize the number of found bugs given a pair of program and seed via detecting dependencies among the bit positions. Rebert et al. [30] propose an optimal algorithm of selecting a subset from a given set of input files as initial seed files to maximize the number of bugs found in a fuzzing campaign. Moon-Shine [23] develops a framework that automatically generates seed programs for fuzzing OS kernels via collecting and distilling system call traces.

Whitebox fuzzing aims to direct the fuzz testing via reasoning about various properties of the programs. Mayhem [5] involves multiple program analysis techniques, including concolic execution, to indicate the execution behavior for an input to find exploitable bugs. Taintscope [37] leverages dynamic taint analysis to identify checksum fields in input and locate checksum handling code in programs to direct fuzzing bypass checksum checks. BuzzFuzz [13] uses taint analysis to infer input fields affecting sensitive points in the code, which most often are parameters of system and library calls, and then make the fuzzing focus on these fields. MutaGen [18] aims to generate high-coverage test inputs via performing mutations on an input generator’s machine code and using dynamic slicing to determine which instructions to mutate. Redqueen [1] presents another approach to solve magic bytes and checksum tests via inferring input-to-state correspondence based on lightweight branch tracing. ProFuzz [53] tries to infer the
The combination of whitebox fuzzing and blackbox/greybox fuzzing results in hybrid fuzzing. Pak’s master thesis [24] first uses symbolic execution to discover frontier nodes representing unique paths and then launches blackbox fuzzing to explore deeper code along the paths from these nodes. Stephens et al. [35] develop Driller that launches selective symbolic execution to generate new seed inputs when the greybox fuzzing could not make any new progress due to complex constraints in program branches. Furthermore, Shoshitaishvili et al. [33] extend Driller to incorporate human knowledge. DigFuzz [56] proposes a novel Monte Carlo based probabilistic model to prioritize paths for concolic execution in hybrid fuzzing. QSYM [55] designs a fast concolic execution engine that integrates symbolic execution tightly with the native execution to support hybrid fuzzing.

In addition, Skyfire [36] proposes a novel data-driven approach to generate correct, diverse, and uncommon initial seeds for fuzzing to start with via leveraging knowledge including syntax features and semantic rules learned from a large scale of existing testcase samples. Xu et al. design new operating primitives to improve the performance of fuzzing with shortening the execution time for an input, especially when it runs on multiple cores in parallel [52]. T-Fuzz [26] develops transformational fuzzing that automatically detects and removes sanity checks making it get stuck in the target program to improve coverage and then reproduces true bugs in the original program via a symbolic execution-based approach.

7 Conclusion

In this paper, we conducted the first systematic study on the impact of coverage metrics on greybox fuzzing with the DARPA CGC dataset, the LAVA-M dataset, and real-world binaries. To this end, we formally define the concept of sensitivity when comparing two coverage metrics, and selectively discuss several metrics that have different sensitivities. Our study has revealed that each coverage metric leads to find different sets of vulnerabilities, indicating there is no grand slam that can beat others. We also showed a combination of different metrics helps find more crashes and find them faster. We hope our study would stimulate research on developing more coverage metrics for greybox fuzzing.
Acknowledgments

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References


Figure 11: Time to first crash per binary of CGC dataset.