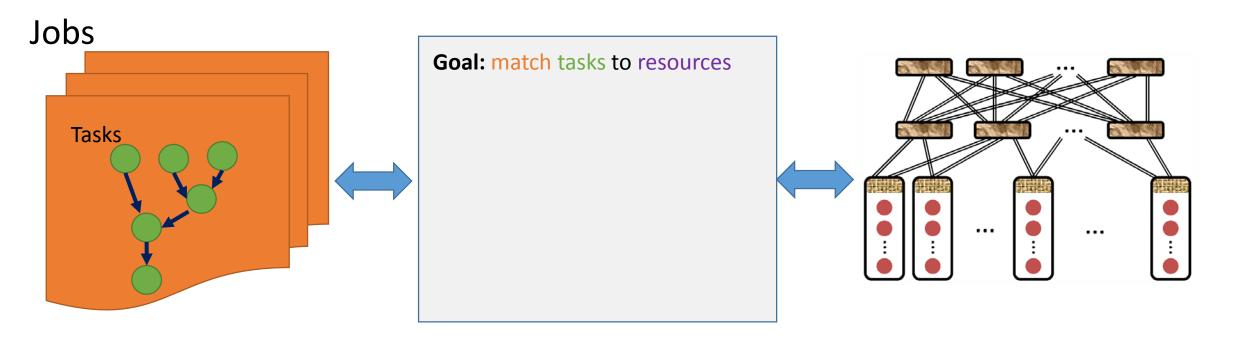
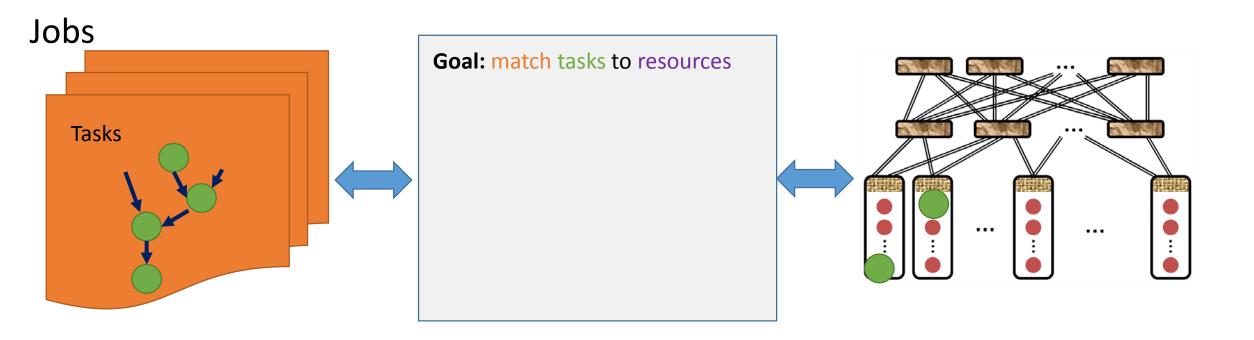
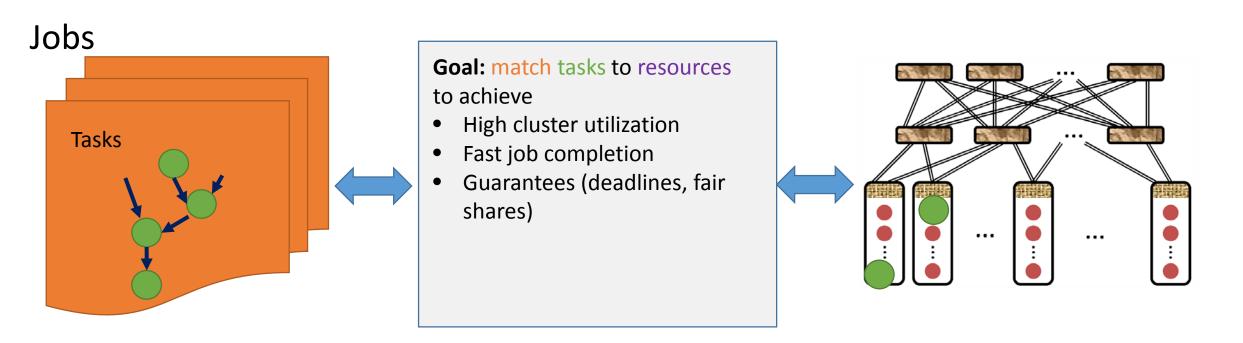
Packing Tasks with Dependencies

Robert Grandl, Srikanth Kandula, Sriram Rao, Aditya Akella, Janardhan Kulkarni

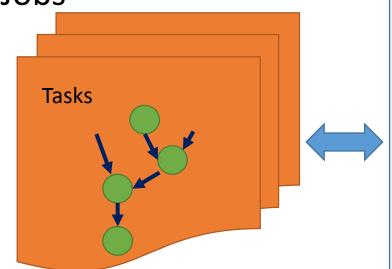








Jobs

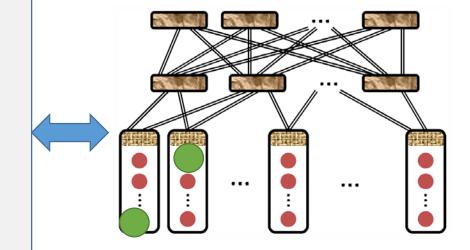


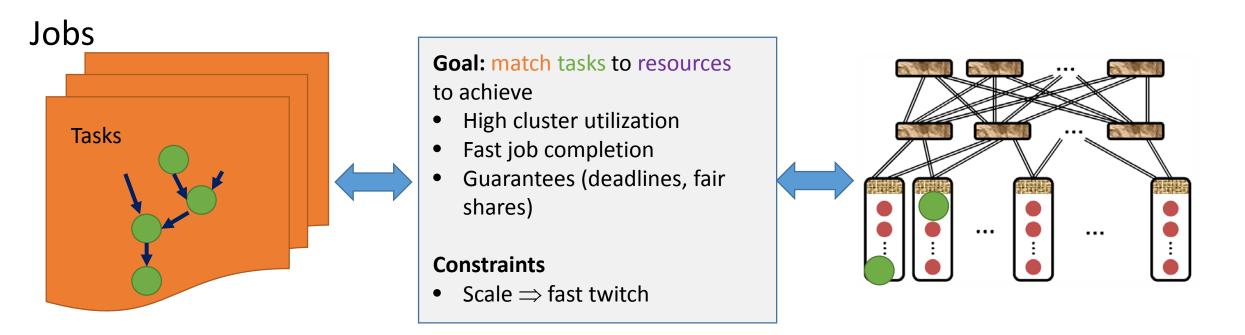
Goal: match tasks to resources to achieve

- High cluster utilization
- Fast job completion
- Guarantees (deadlines, fair shares)

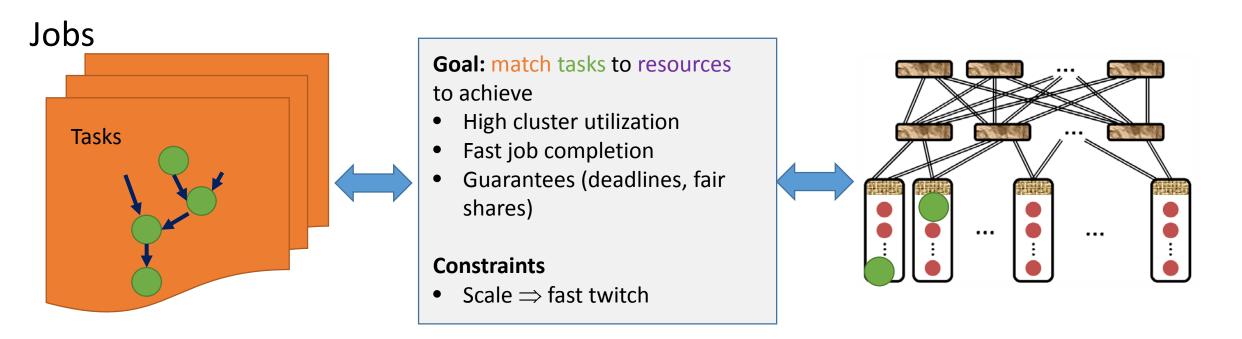
Constraints

Scale ⇒ fast twitch

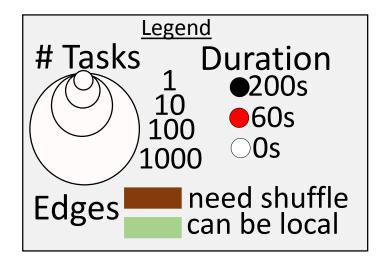


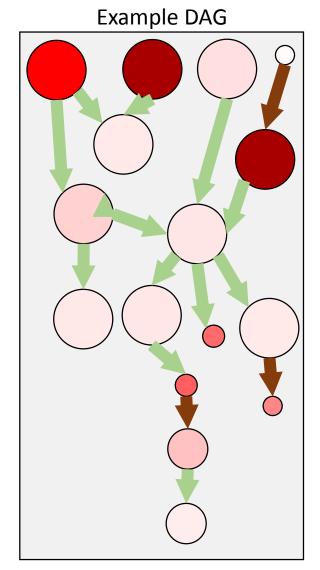


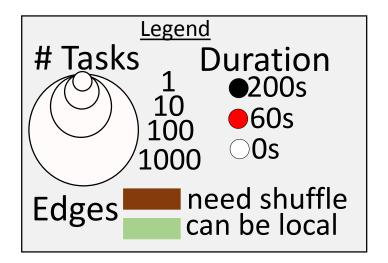
- Large and high-value deployments
 - E.g., Spark, Yarn*, Mesos*, Cosmos

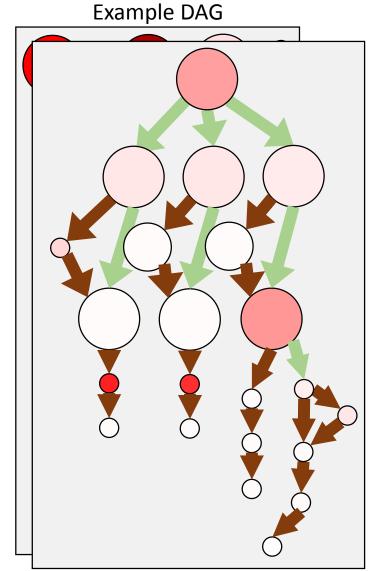


- Large and high-value deployments
 - E.g., Spark, Yarn*, Mesos*, Cosmos
- Today, schedulers are simple and (as we show) performance can improve a lot

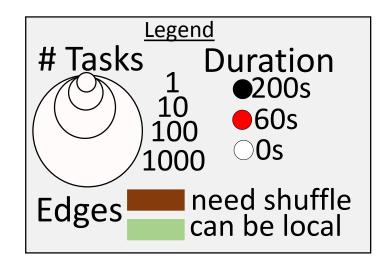


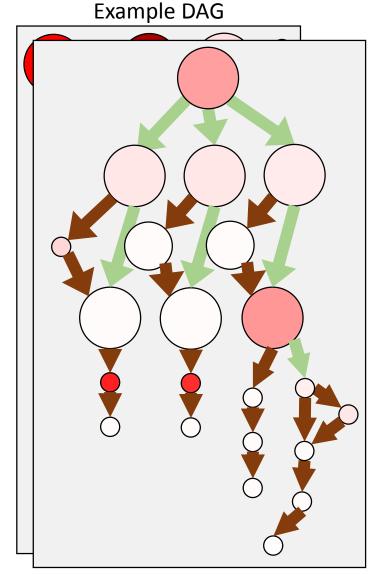


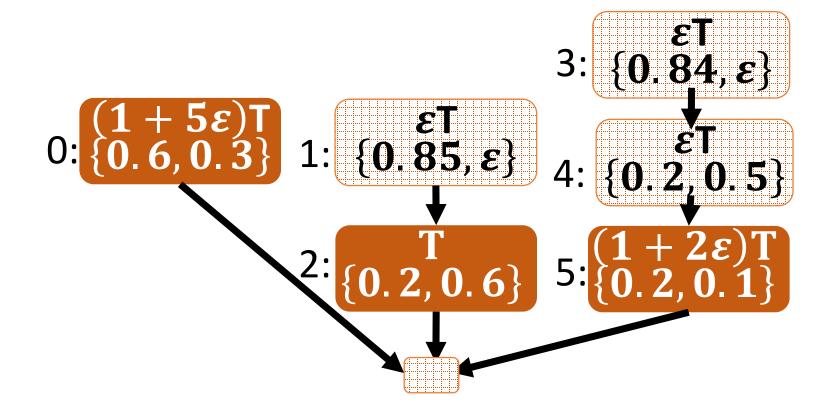




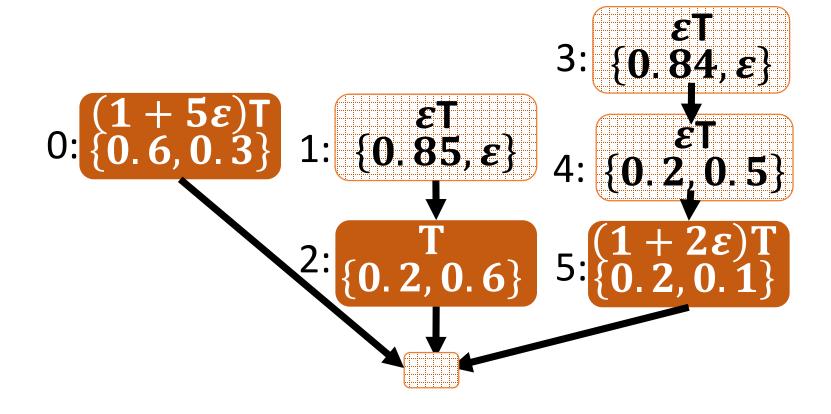
- DAGs have deep and complex structures
- Task durations range from <1s to >100s
- Tasks use different amounts of resources



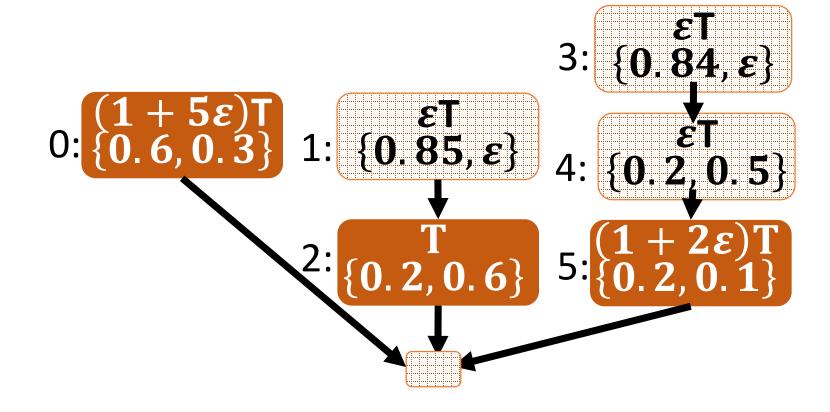




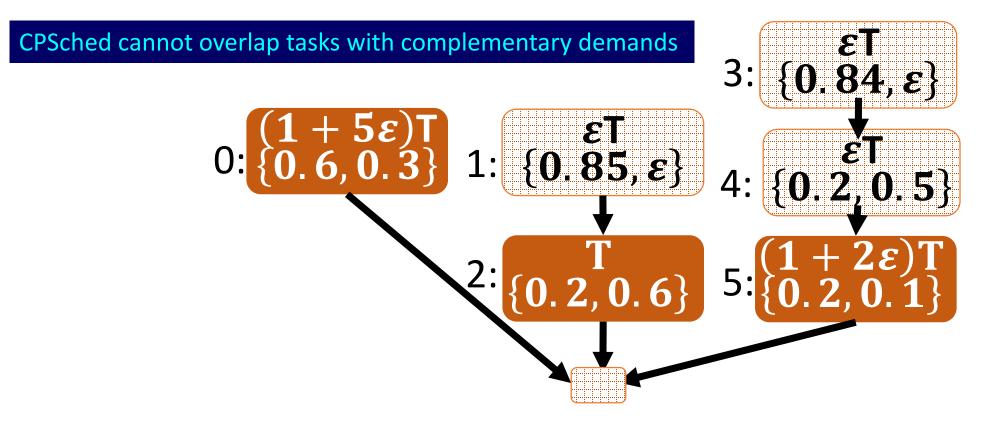
Technique	Execution Order	Time
OPT	$t_1 \to t_3 \to \{t_4, t_0\} \to \{t_0, t_2, t_5\}$	T



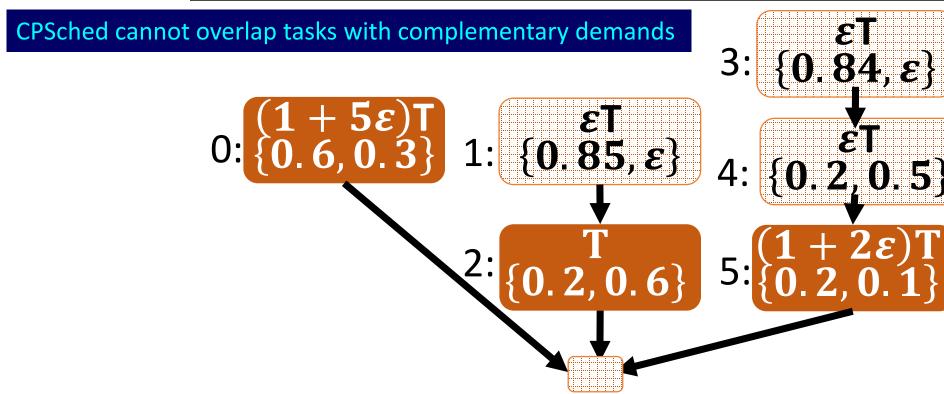
Technique	Execution Order	Time
OPT	$t_1 \to t_3 \to \{t_4, t_0\} \to \{t_0, t_2, t_5\}$	T
CPSched	$t_0 \rightarrow t_3 \rightarrow t_4 \rightarrow t_5 \rightarrow t_1 \rightarrow t_2$	3 T



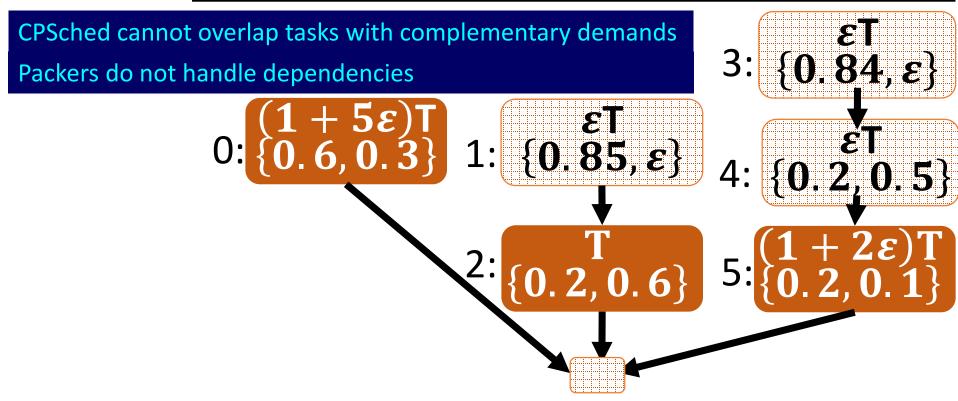
Technique	Execution Order	Time
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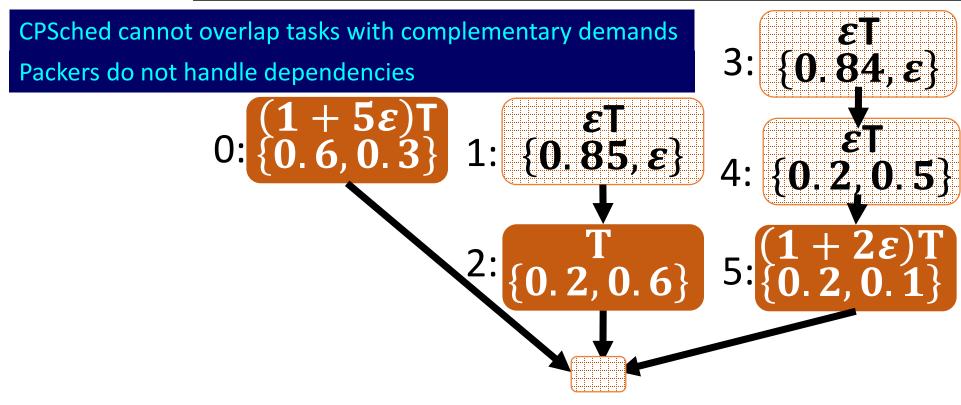
Technique	Execution Order	Time
OPT	$t_1 \to t_3 \to \{t_4, t_0\} \to \{t_0, t_2, t_5\}$	T
CPSched	$t_0 \to t_3 \to t_4 \to t_5 \to t_1 \to t_2$	3 T
Packers ¹	$t_0 \rightarrow t_1 \rightarrow t_3 \rightarrow t_2 \rightarrow t_4 \rightarrow t_5$	3 T



Technique	Execution Order	Time
OPT	$t_1 \to t_3 \to \{t_4, t_0\} \to \{t_0, t_2, t_5\}$	T
CPSched	$t_0 \to t_3 \to t_4 \to t_5 \to t_1 \to t_2$	3 T
Packers ¹	$t_0 \rightarrow t_1 \rightarrow t_3 \rightarrow t_2 \rightarrow t_4 \rightarrow t_5$	3 T



Technique	Execution Order	Time	Worst-case
OPT	$t_1 \to t_3 \to \{t_4, t_0\} \to \{t_0, t_2, t_5\}$	T	_
CPSched	$t_0 \rightarrow t_3 \rightarrow t_4 \rightarrow t_5 \rightarrow t_1 \rightarrow t_2$	3T	$O(n) \times OPT_{n tasks}$
Packers ¹	$t_0 \to t_1 \to t_3 \to t_2 \to t_4 \to t_5$	3T	$O(d) \times OPT d$ resources



Simple heuristics lead to poor schedules

- 1. Simple heuristics lead to poor schedules
- 2. Production DAGs are roughly 50% slower than lower bounds

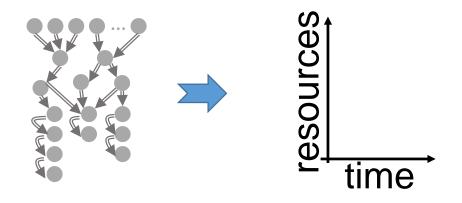
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- 1. Simple heuristics lead to poor schedules
- 2. Production DAGs are roughly 50% slower than lower bounds
- 3. Simple variants of "Packing dependent tasks" are NP-hard problems
- 4. Prior analytical solutions miss some practical concerns
 - Multiple resources
 - Complex dependencies
 - Machine-level fragmentation
 - Scale; Online; ...

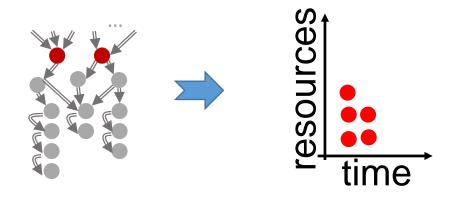
Given an annotated DAG and available resources, compute a good schedule

+ practical model



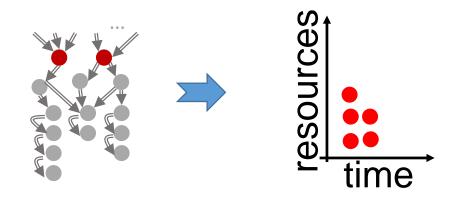
Existing schedulers:

A task is schedulable after all its parents have finished



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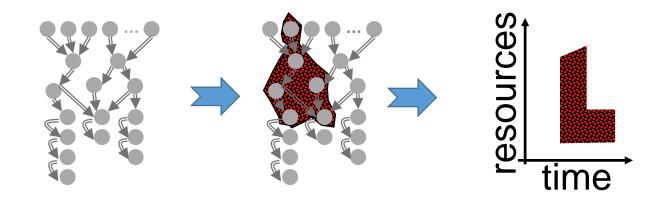


Existing schedulers:

A task is schedulable after all its parents have finished

Graphene:

Identifies troublesome tasks and places them first

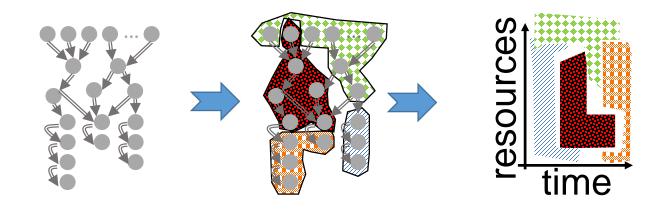


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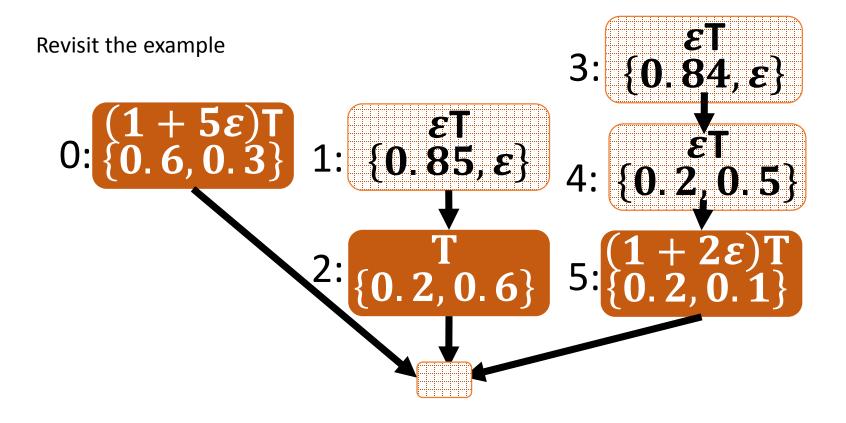


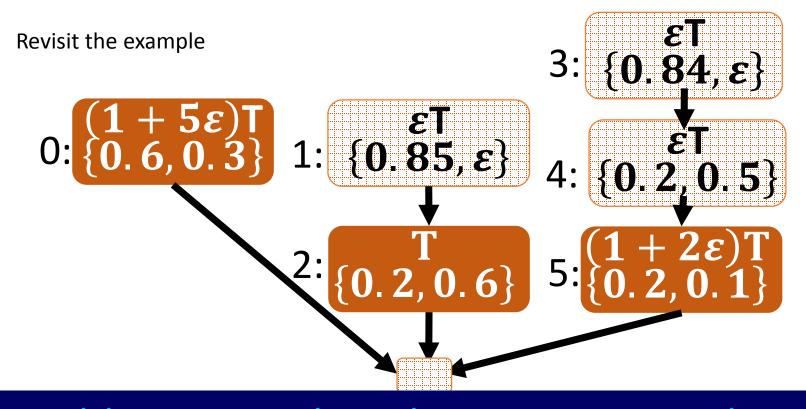
Existing schedulers:

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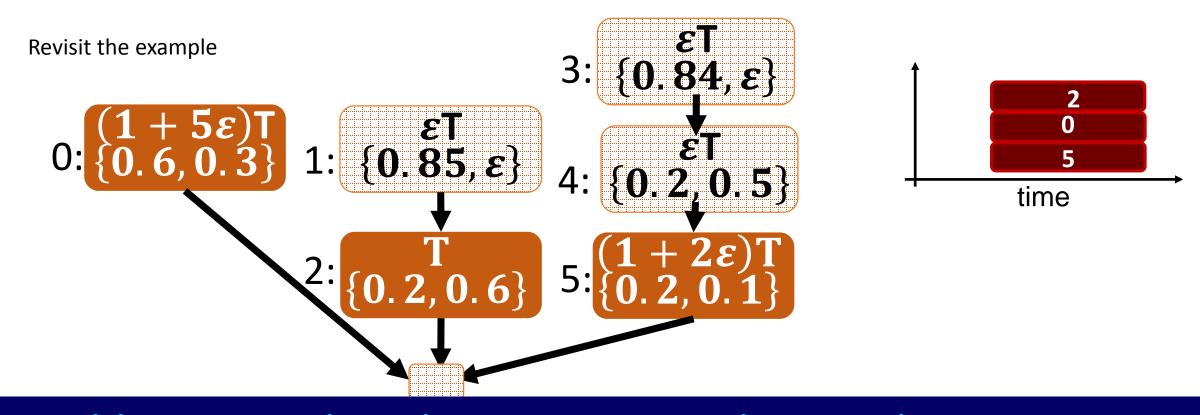
Graphene:

Identifies *troublesome tasks* and places them *first* Place other tasks around trouble

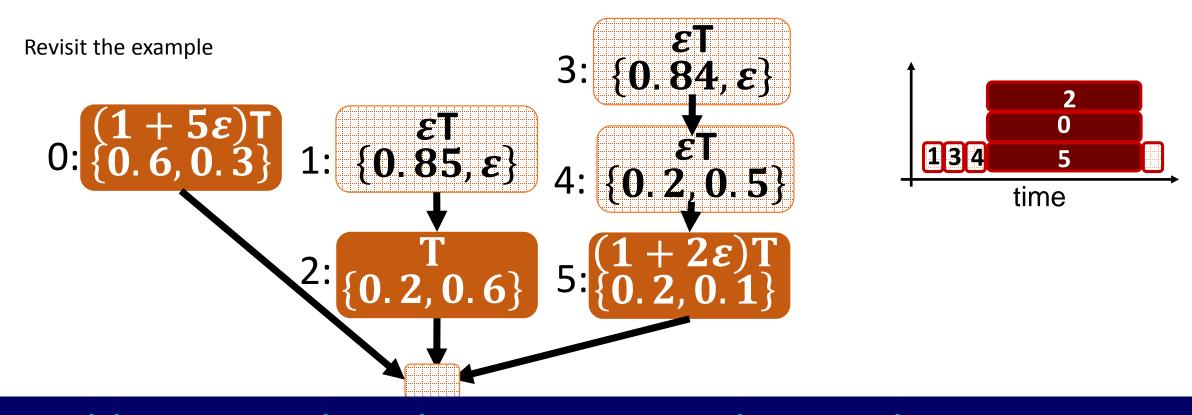




If troublesome tasks ⊇ long-running tasks, Graphene ≡ OPT



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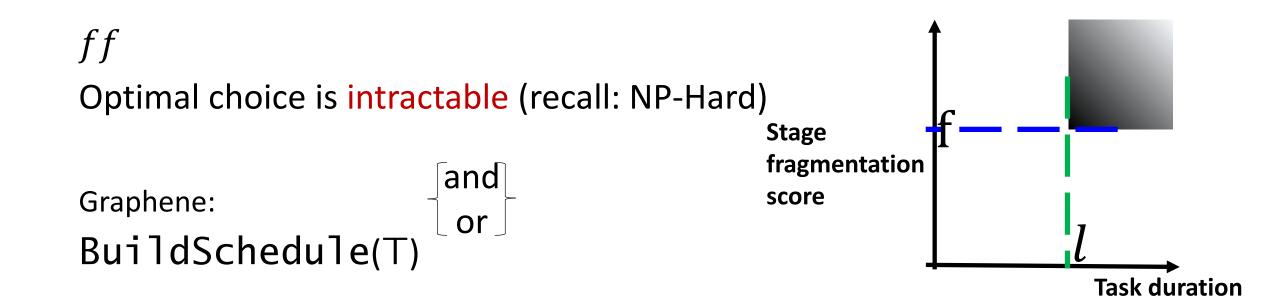
How to choose troublesome tasks T?

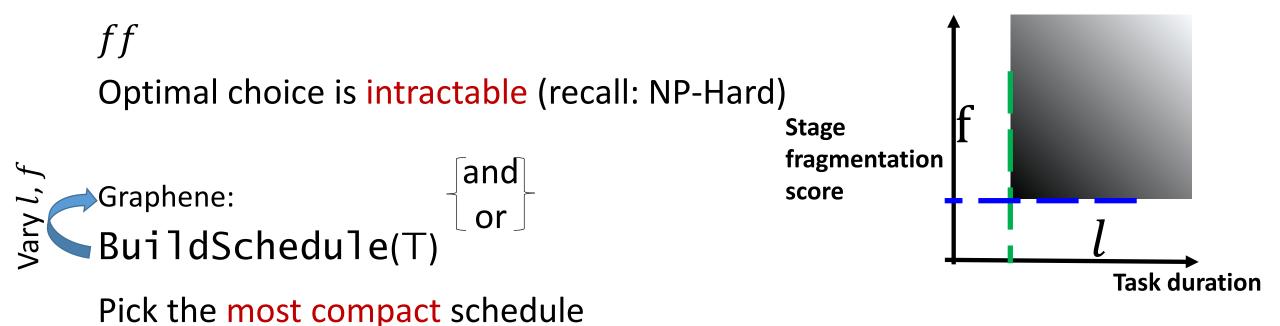
 $frag \ge f$

How to choose troublesome tasks T?

Optimal choice is intractable (recall: NP-Hard)

frag
$$\geq f$$





Optimal choice is intractable (recall: NP-Hard)
Stage
fragmentation
score

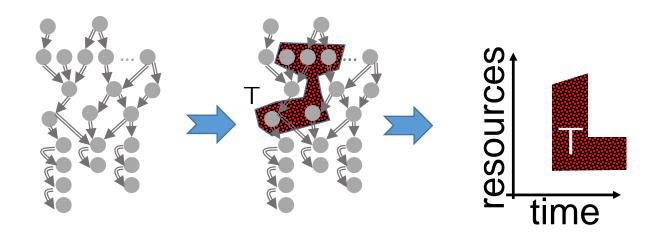
BuildSchedule(T)

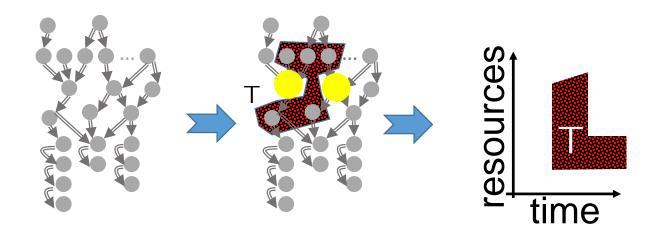
Task duration

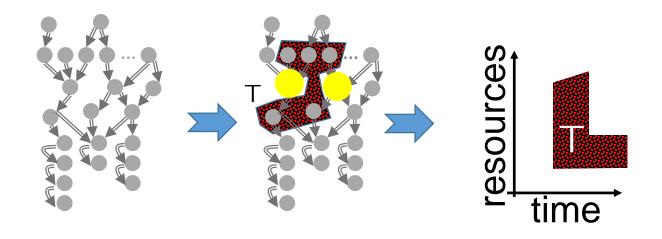
Pick the most compact schedule

Extensions

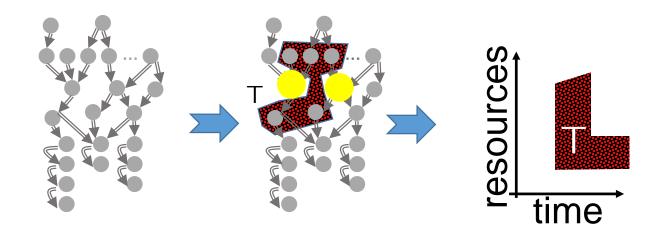
- Explore different choices of T in parallel
- 2) Recurse
- 3) Memoize ...





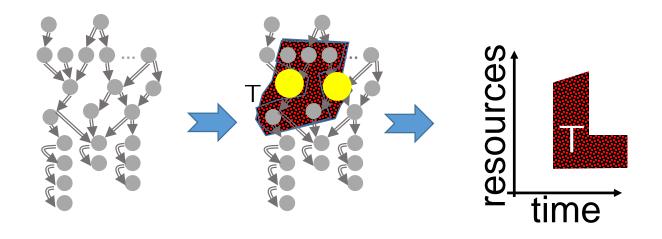


1) Since some parents and children of $\overline{}$ are already placed with $\overline{}$, may not be able to place $\overline{}$



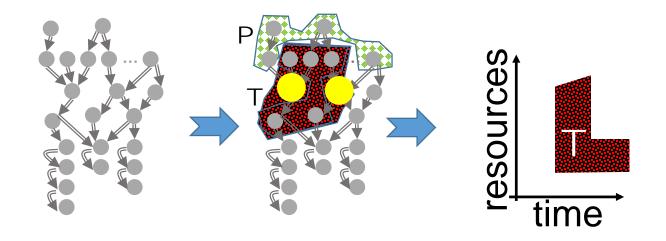
1) Since some parents and children of \bigcirc are already *placed* with \top , may not be able to place \bigcirc

T ← TransitiveClosure (T)



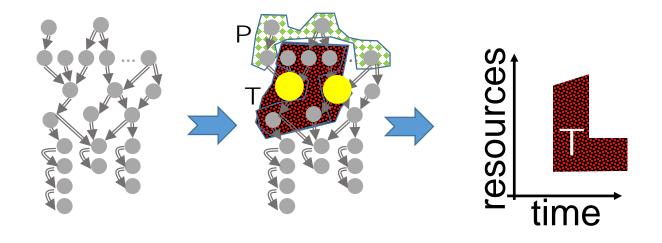
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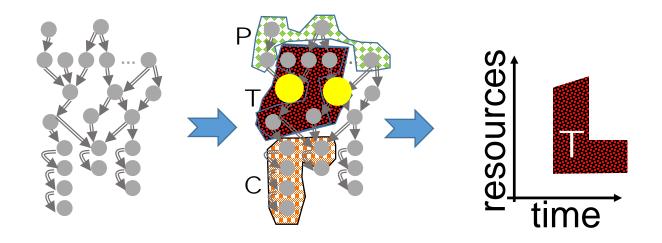
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2) When placing tasks in



, P, have to go backwards (place task after all children are placed)



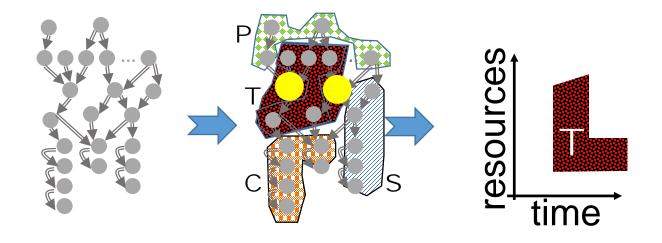
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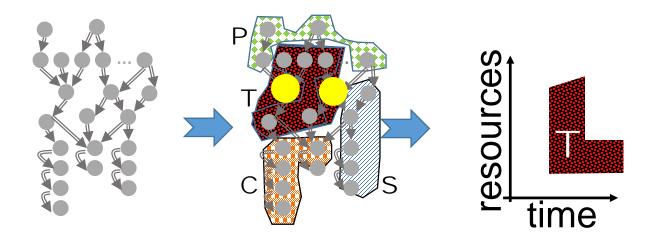
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Which of these orders are legit?

$$T_{fb}P_{b}S_{f}C_{f}$$
 $T_{fb}P_{b}C_{f}S_{f}$
 $T_{fb}S_{fb}P_{b}C_{f}$

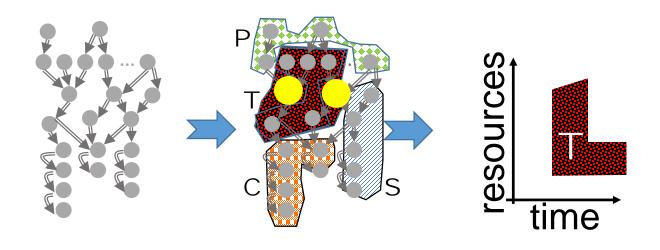
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Which of these orders are legit? $T_{fb}P_{b}S_{f}C_{f} \checkmark$ $T_{fb}P_{b}C_{f}S_{f} \times$

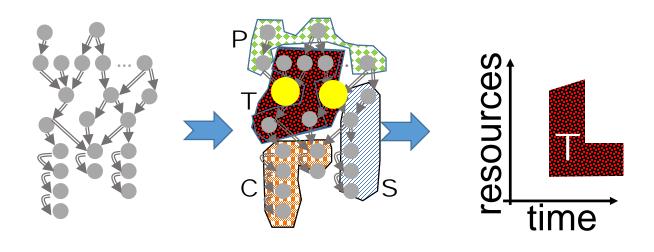
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Which of these orders are legit? $T_{fb}P_{b}S_{f}C_{f} \checkmark$ $T_{fb}P_{b}C_{f}S_{f} \times$ $T_{fb}S_{fb}P_{b}C_{f} \checkmark$

Graphene explores all orders and avoids dead-ends

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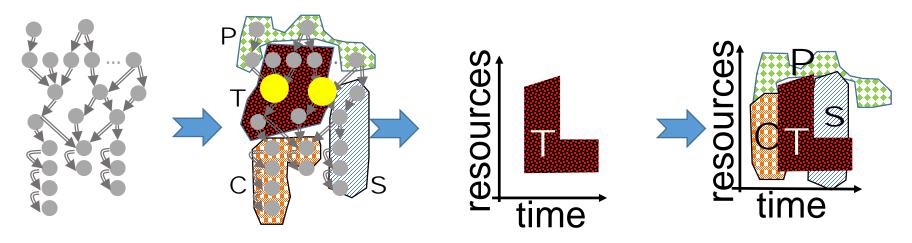
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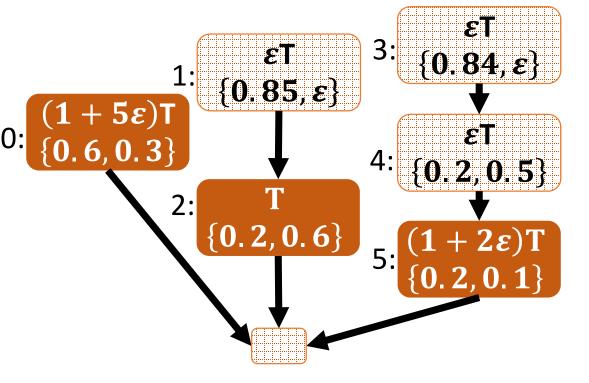
Main ideas for one DAG

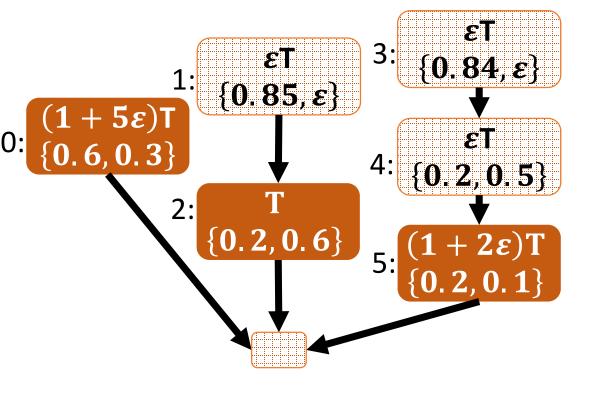


- 1. Identify troublesome tasks and place them first
- 2. Systematically place tasks to avoid dead-ends

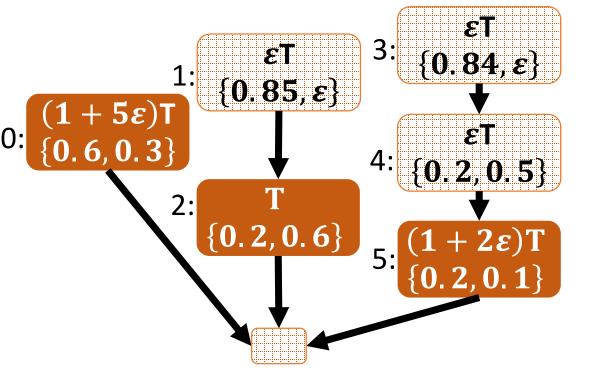
Computed offline schedule for

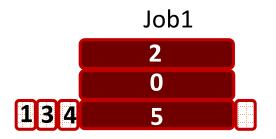




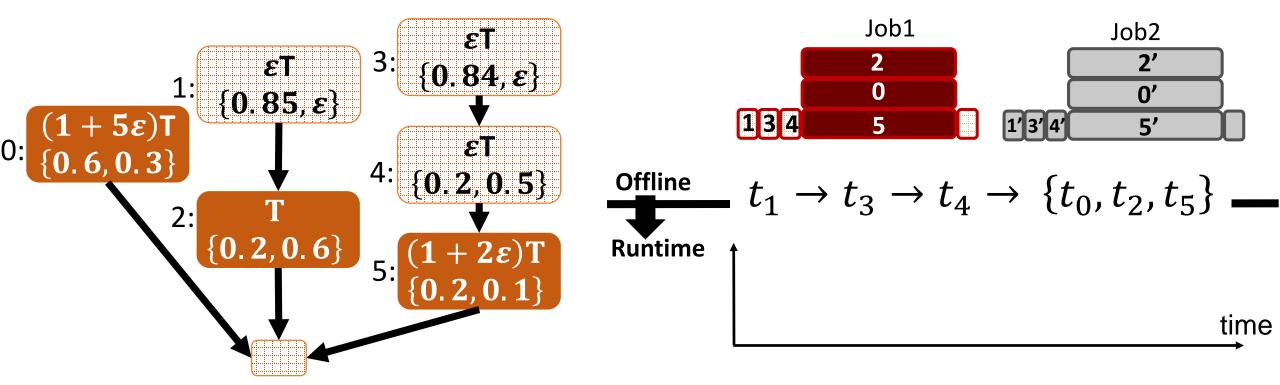


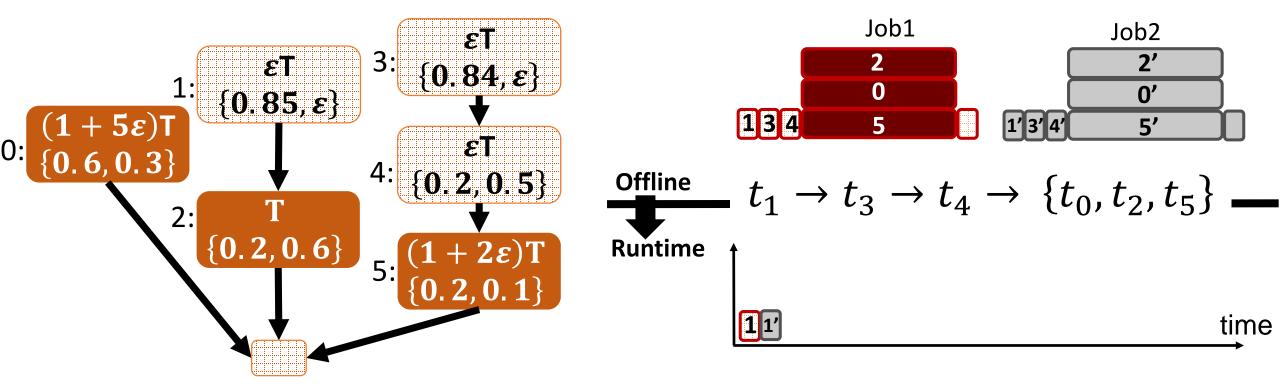


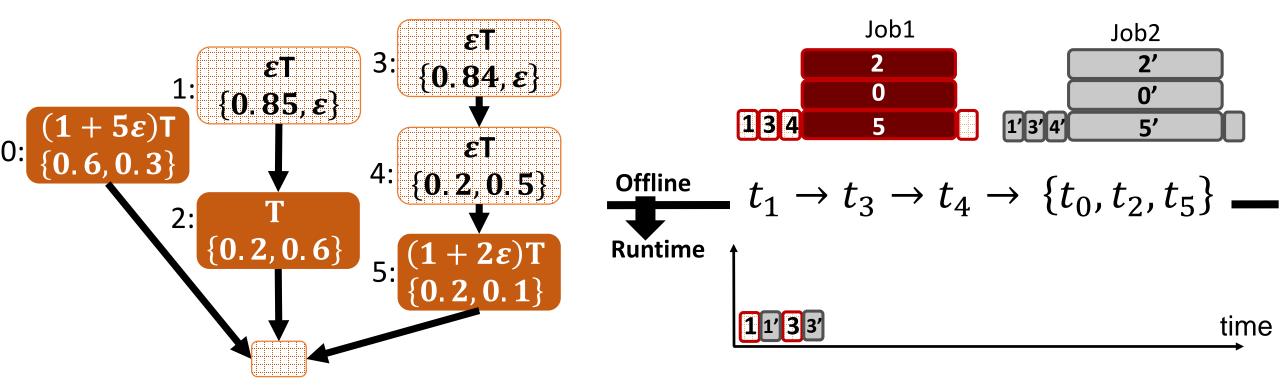


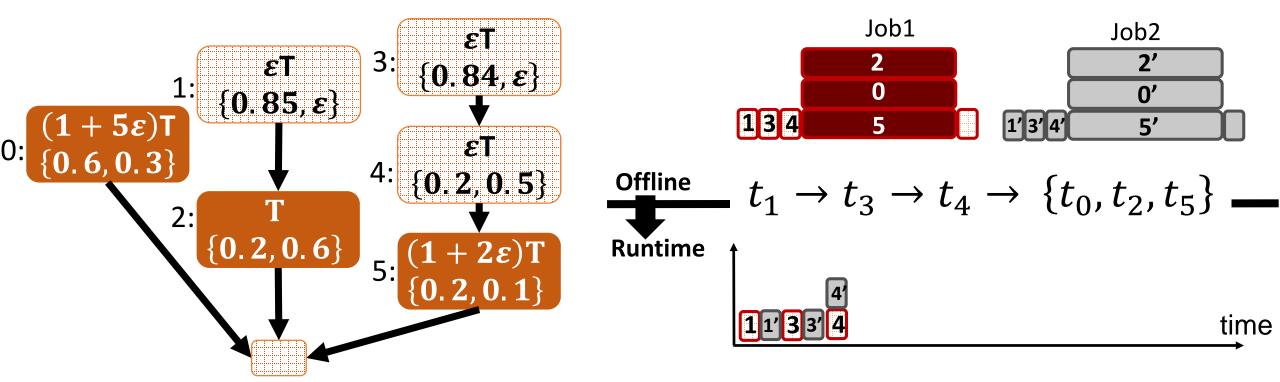


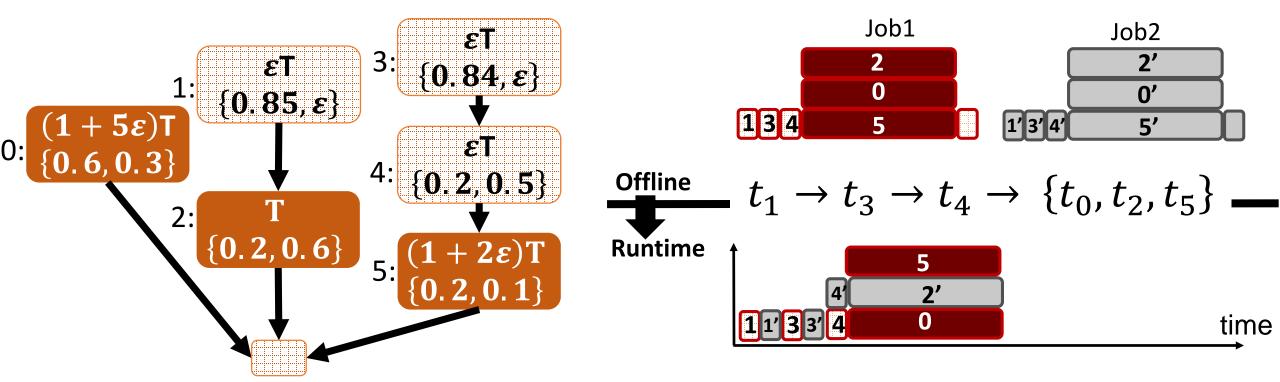
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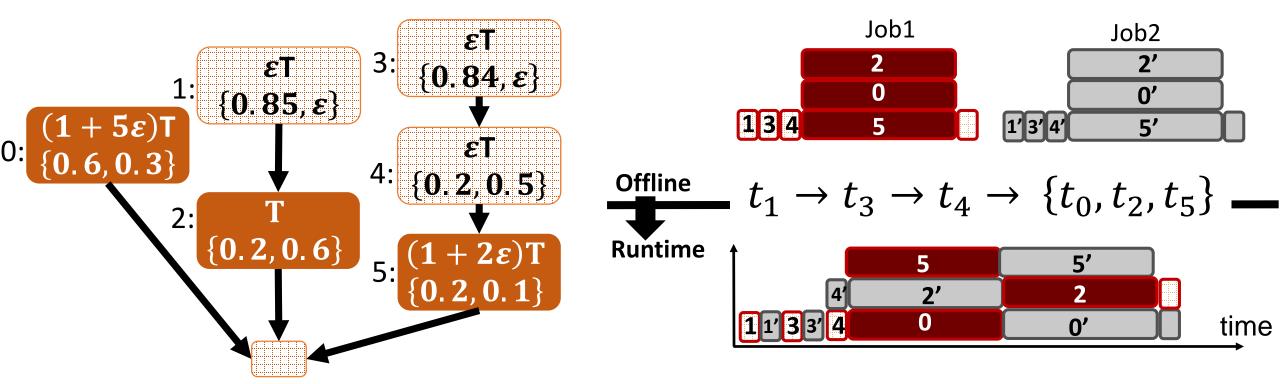


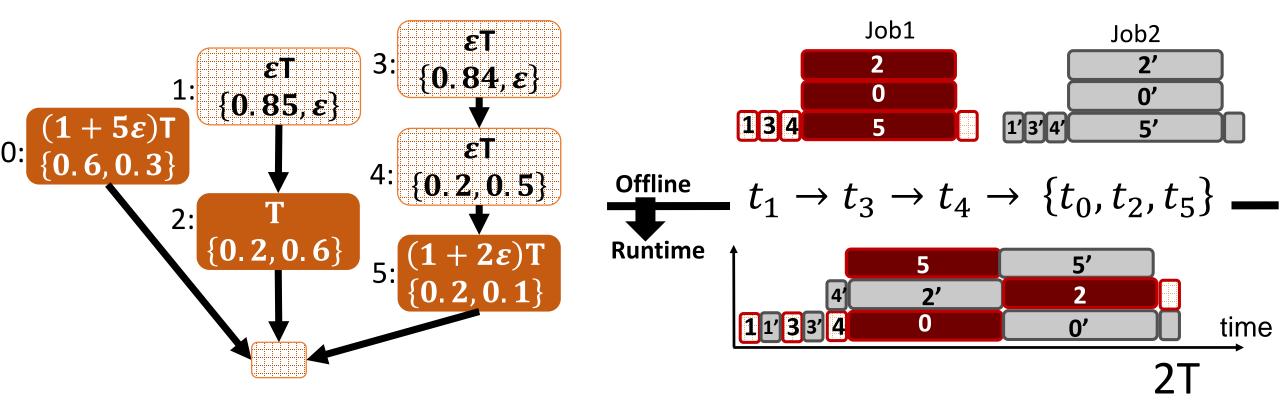


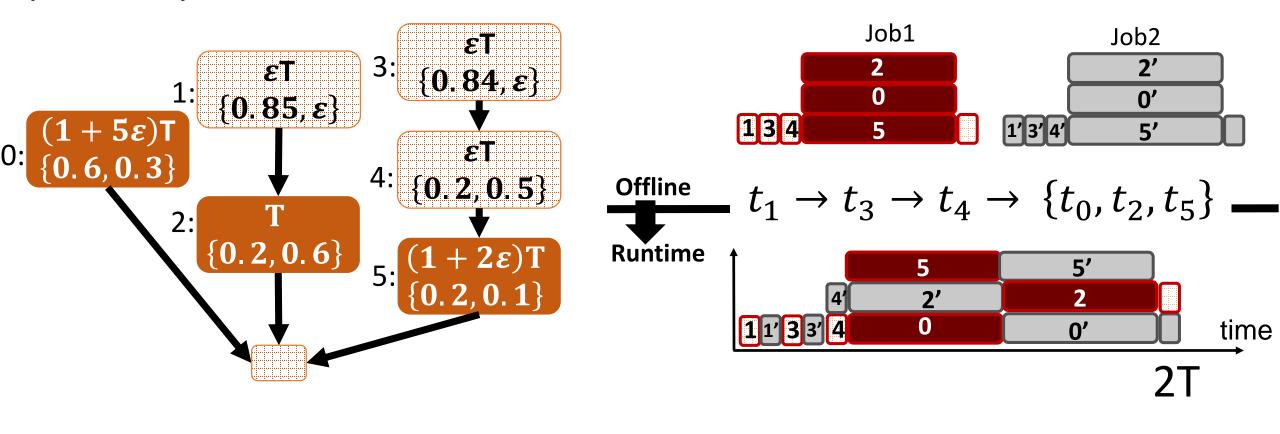


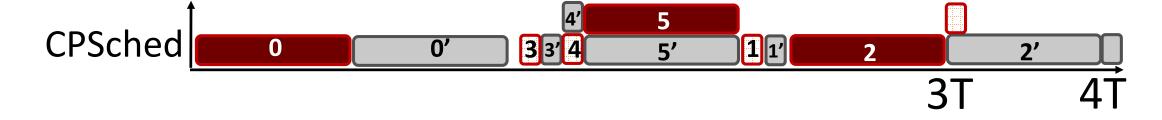








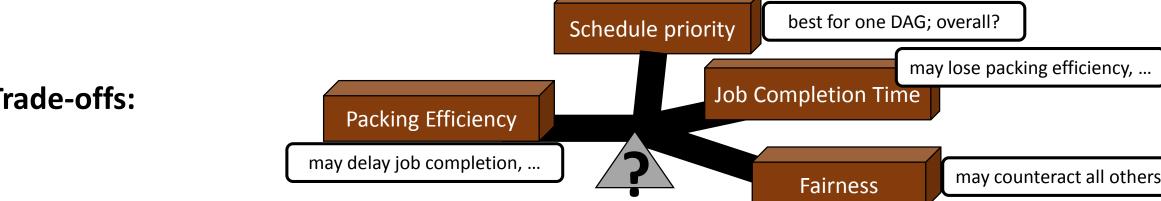




- 1) Convert offline schedule to priority order on tasks
- 2) Online, enforce schedule priority along with heuristics for
 - (a) Multi-resource packing
 - (b) "SRPT" to lower average job completion time
 - (c) Bounded amount of unfairness
 - (d) Overbooking ...

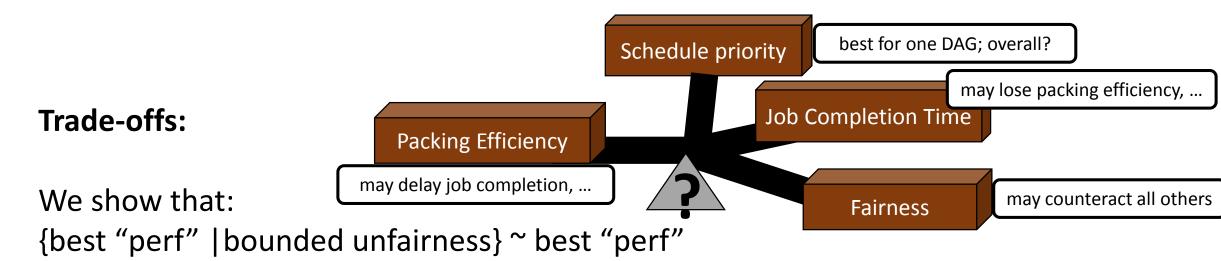
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Trade-offs:

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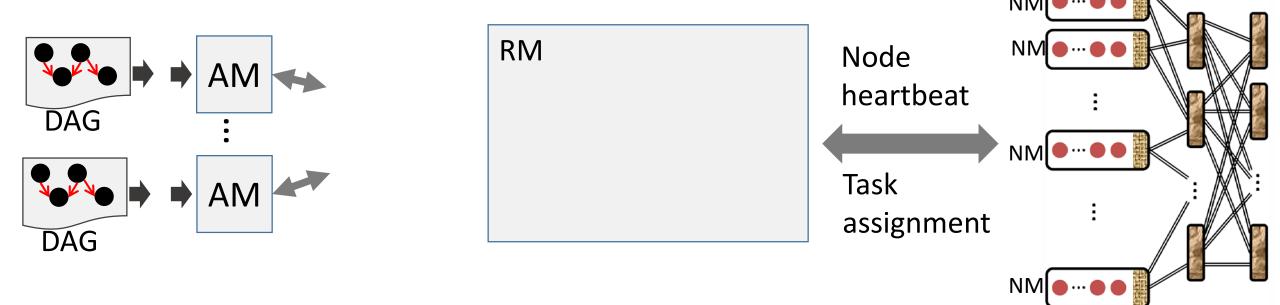


Graphene summary & implementation

- 1) Offline, schedule each DAG by placing troublesome tasks first
- 2) Online, enforce priority over tasks along with other heuristics

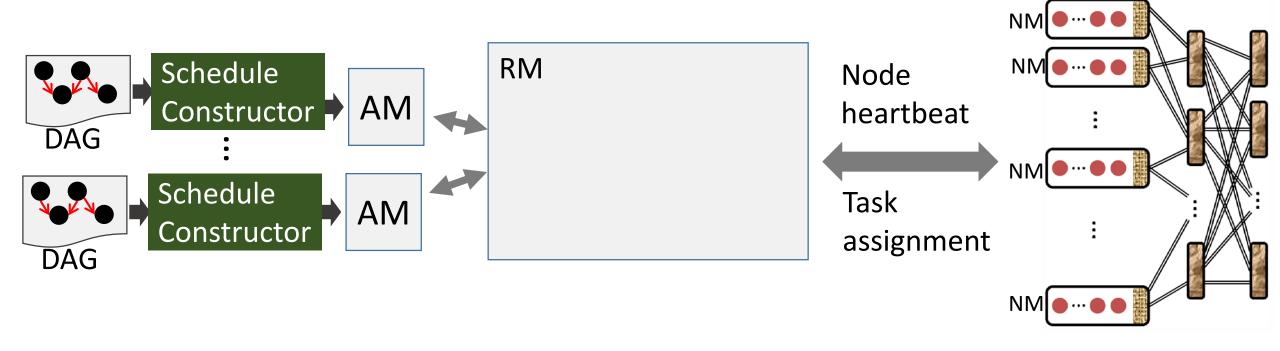
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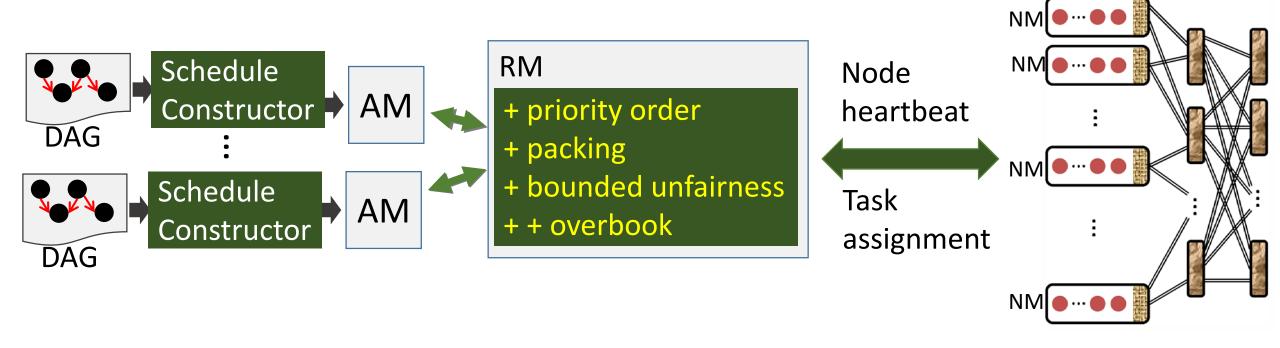
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Implementation details

DAG annotations

Bundling: improve schedule quality w/o killing scheduling latency

Co-existence with (many) other scheduler features

Evaluation

Prototype

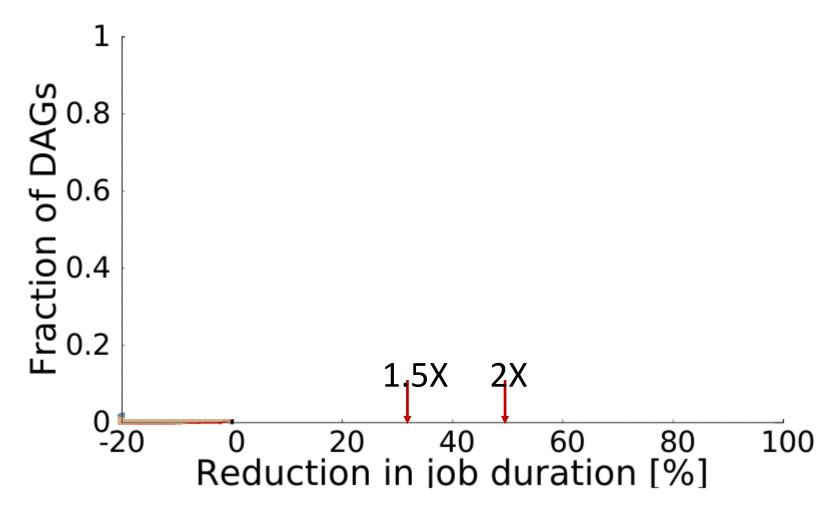
- 200 server multi-core cluster
- TPC-DS, TPC-H, ..., GridMix to replay traces
- Jobs arrive online

Simulations

- Traces from production Microsoft Cosmos and Yarn clusters
- Compare with many alternatives

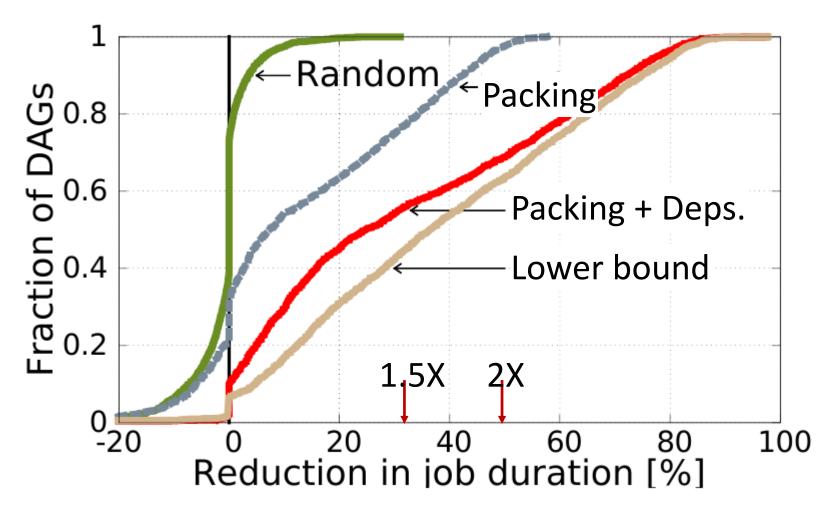
Results - 1

[20K DAGs from Cosmos]



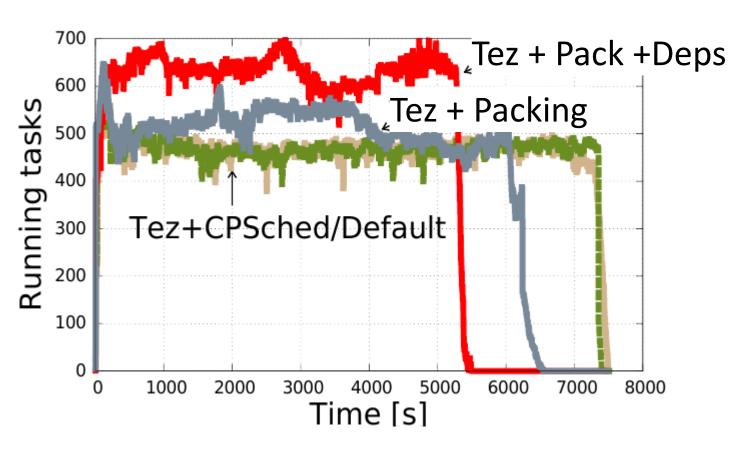
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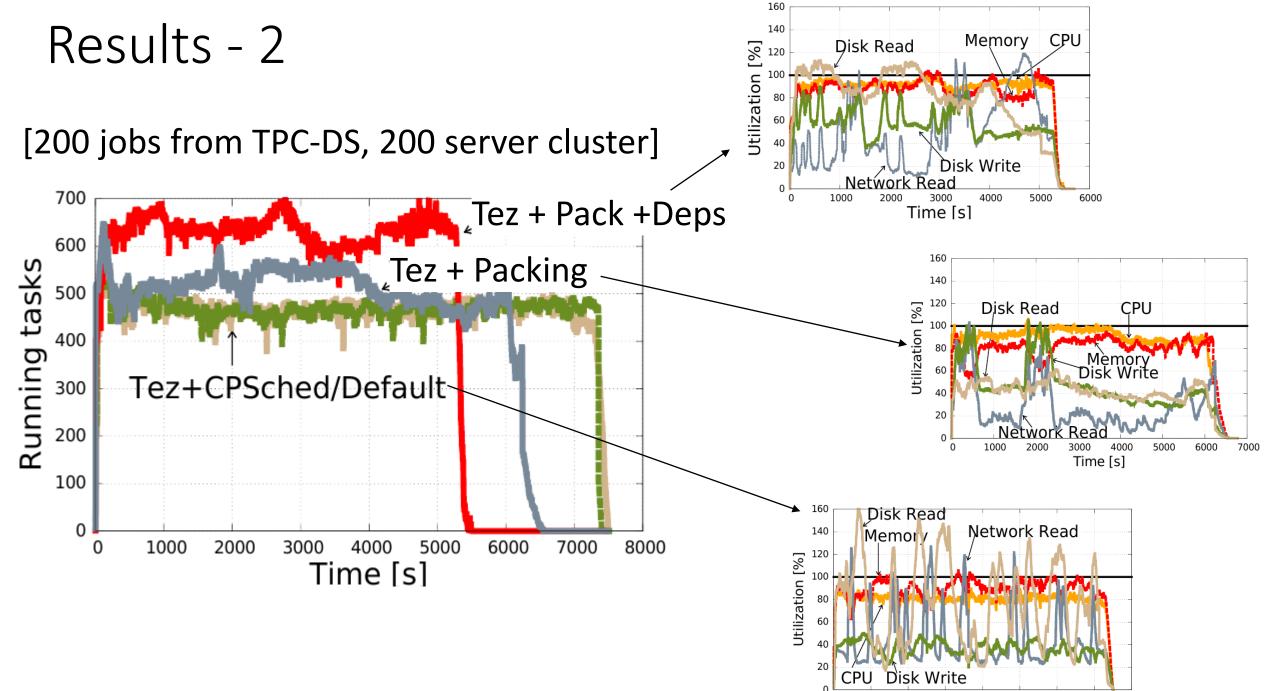
[20K DAGs from Cosmos]



Results - 2

[200 jobs from TPC-DS, 200 server cluster]





Time [s]

Scheduling heterogeneous DAGs well requires an online solution that handles multiple resources and dependencies

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Graphene

- Offline, construct per-DAG schedule by placing troublesome tasks first
- Online, enforce schedule priority along with other heuristics
- New lower bound shows nearly optimal for half of the DAGs

Scheduling heterogeneous DAGs well requires an online solution that handles multiple resources and dependencies

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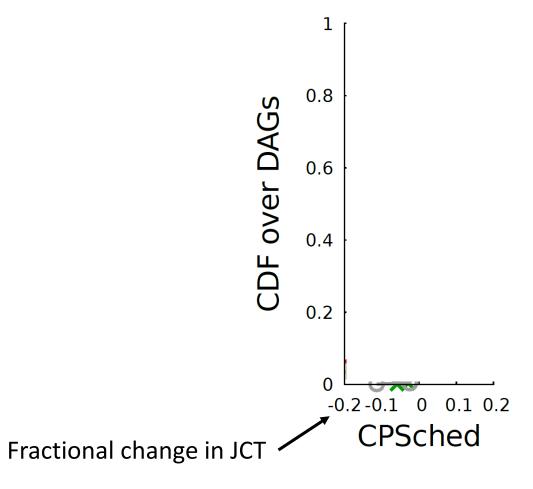
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Graphene

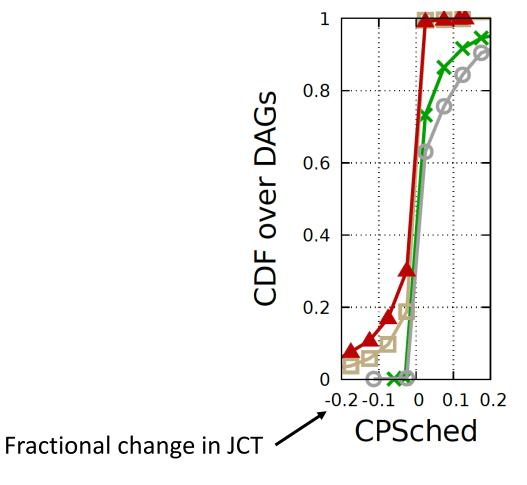
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- New lower bound shows nearly optimal for half of the DAGs

Experiments show gains in job completion time, makespan, ...

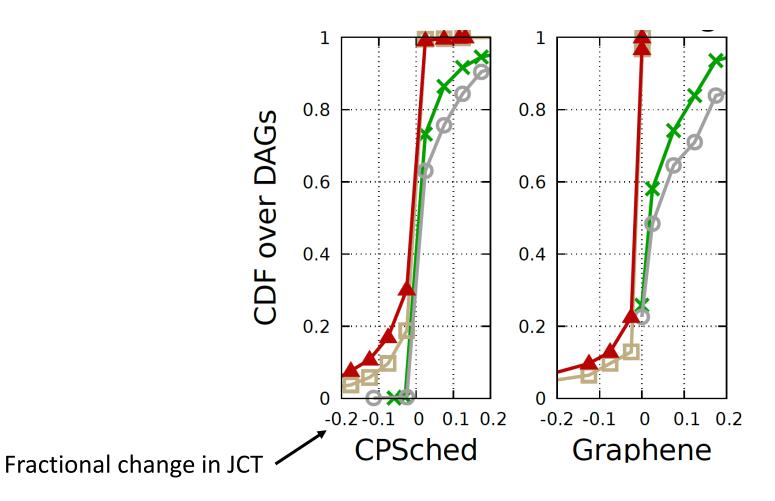
Graphene generalizes to DAGs in other settings



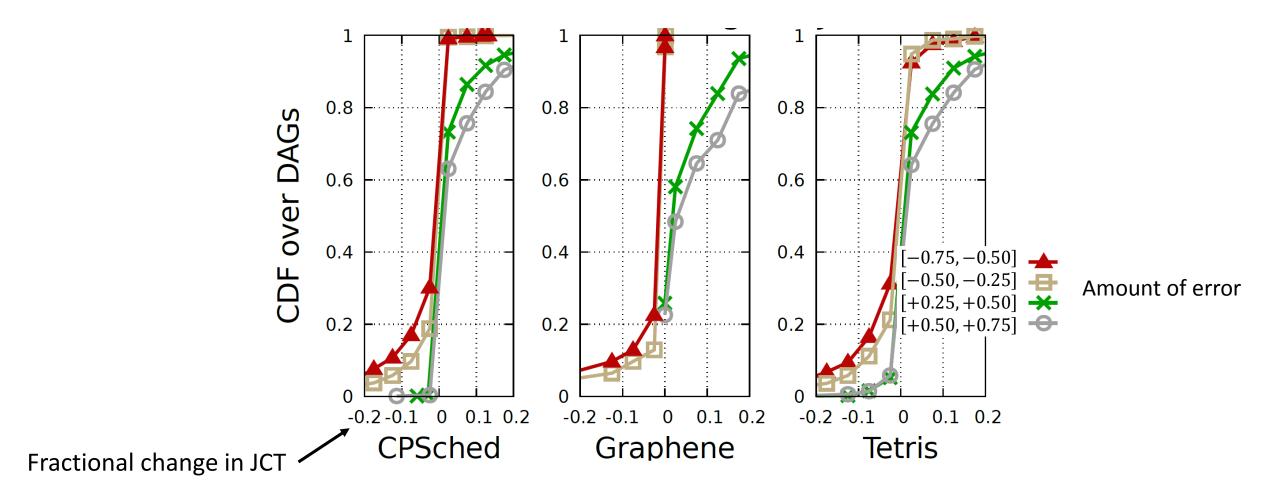












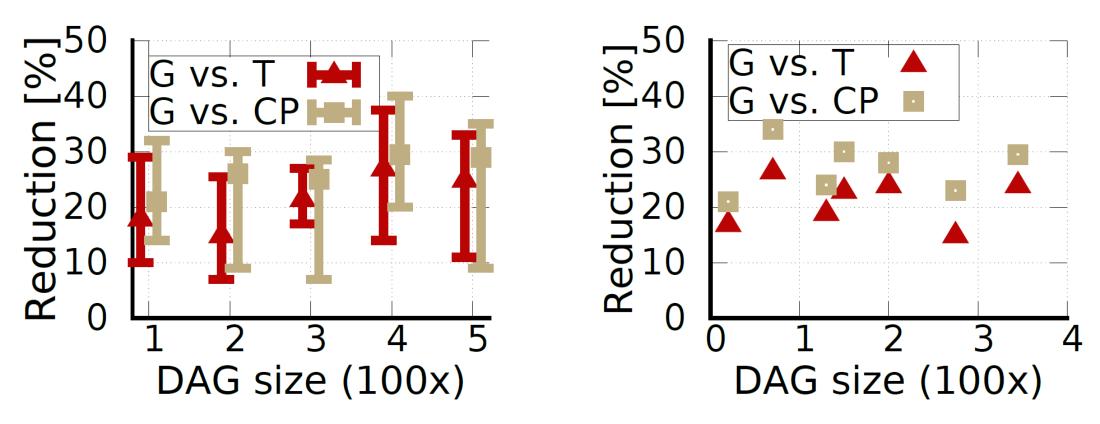
DAG annotations

G uses per-stage average duration and demands of {cpu, mem, net. disk}

- 1) Almost all frameworks have user's annotate cpu and mem
- 2) Recurring jobs¹ have predictable profiles (correcting for input size)
- 3) Ongoing work on building profiles for ad-hoc jobs
 - Sample and project²
 - Program analysis³

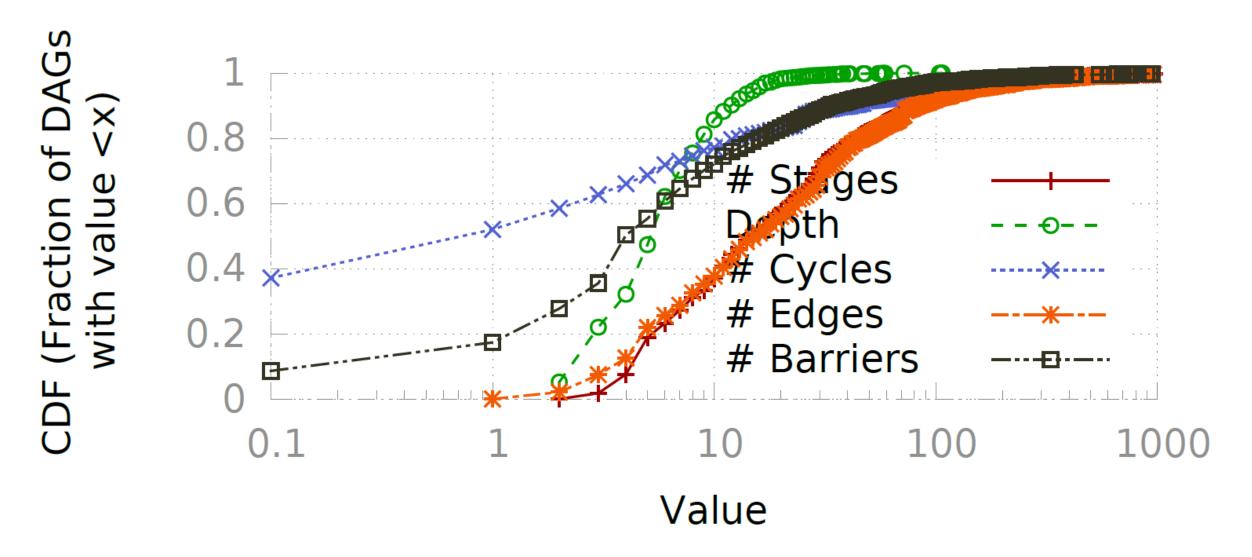
```
[1] RoPE, NSDI'12; ...[2] Perforator, SOCC'16; ...[3] SPEED, POPL'09; ...
```

Using Graphene to schedule other DAGs

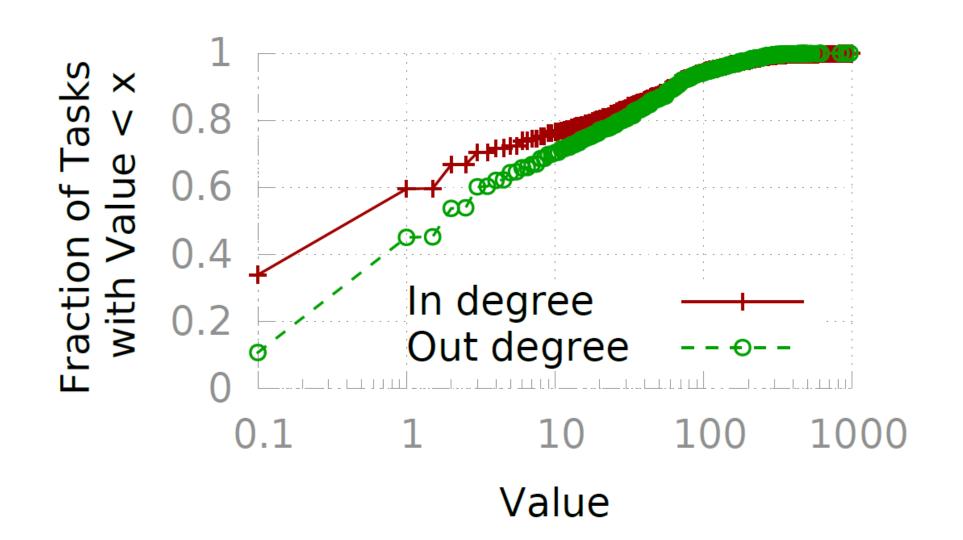


(a) Distributed Build Systems: (b) Request-response workflows: Compilation time Query latency

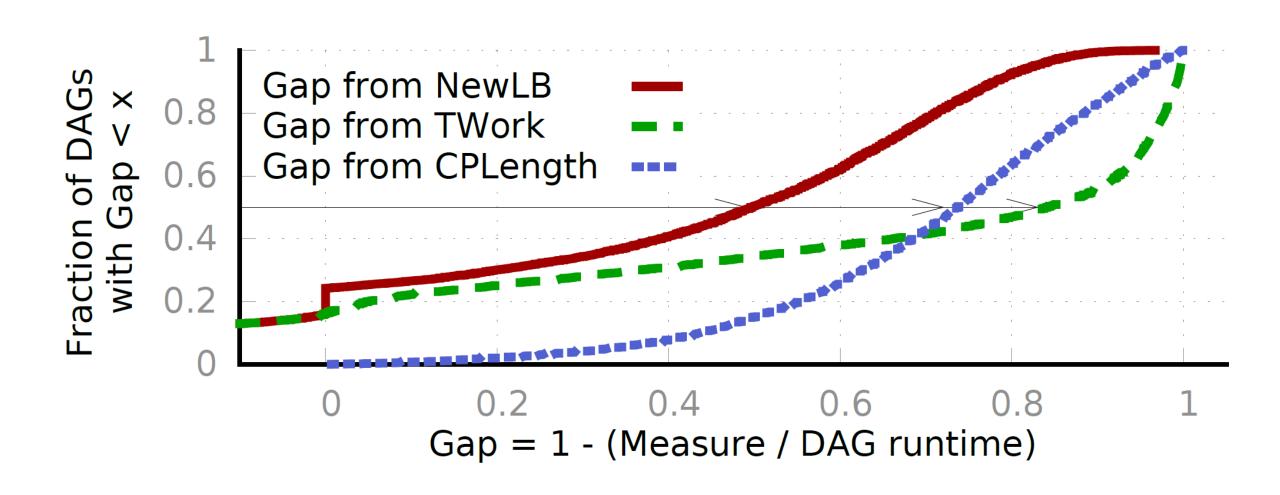
Characterizing DAGs in Cosmos clusters



Characterizing DAGs in Cosmos clusters – 2



Runtime of production DAGs



Job completion times on different workloads

	50 th percentile			75 th percentile			
Workload	G	T+C	T+T	G	T+C	T+T	
TPC-DS	27.8	4.1	6.5	45.7	8.9	16.6	
TPC-H	30.5	3.8	8.9	48.3	7.7	15.0	
BigBench	25.0	6.4	6.2	33.3	21.7	18.5	
E-Hive	19.0	1.0	5.8	29.7	4.5	14.2	

G stands for **GRAPHENE**. T+C and T+T denote Tez+CP and Tez+Tetris respectively (see §7.1). The improvements are relative to Tez.

Makespan	Workload	Tez+CP	Tez+Tetris	Graphene
	TPC-DS	+2.1%	+8.2%	+30.9%
	TPC-H	+4.3%	+9.6%	+27.5%

	Workload	Scheme	2Q Vs. 1Q	Jain's fairness index		
	WOIKIOAU	Scheme	Perf. Gap	108	60s	240S
Fairness		Tez	-13%	0.82	0.86	0.88
i all liess	TPC-DS	Tez+DRF	-12%	0.85	0.89	0.90
		Tez+Tetris	-10%	0.77	0.81	0.92
		GRAPHENE	+2%	0.72	0.83	0.89

I and the I laim's fairmass in day

Comparison with other alternatives

		25 th	50 th	75 th	90 th
GRAPHENE	7	25	57	74	
Random		-2	О	1	4
Crit.Path	Fit cpu/mem	-2	О	2	1
CIII.Fatii	Fit all	1	4	13	16
Tetris	Fit all	0	7	29	42
Strip Part.	Fit all	0	1	12	27
Coffman-Graham.	Fit all	0	1	12	26
	Fit cpu/mem	-2	O	O	2

Online Pseudocode

```
Func: FindAppropriateTasksForMachine:
Input: m: vector of available resources at machine; \mathcal{J}: set of jobs
with task details \{t_{duration}, t_{demands}, t_{priScore}\}; deficit:
counters for fairness:
Parameters: \kappa: unfairness bound; rp: remote penalty
Output: S, the set of tasks to be allocated on the machine
S \leftarrow \emptyset
while true do
      foreach task t do
              \{pScore_t, oScore_t\} \leftarrow \{o, o\}
             rPenalty_t \leftarrow t is locality sensitive? rp:1
             if t_{demands} \le m // fits? then
                 pScore_t \leftarrow (\mathbf{m} \cdot \mathbf{t}_{demands}) rPenalty_t / / dot product
              else
                    // what-if analysis: "overbook or wait".
                    \forall tasks t' affected by t running at m, let before(t'),
                    after(t') be expected completion times before and
                    after placing t at m
                    benefit = nextSchedOpp + t_{duration} - after(t)
                    cost = \sum_{aff. \ tasks \ t'} (after(t') - before(t'))
                    if benefit > cost then oScore, = benefit - cost;
              job j \ni t, \text{srpt}_j \leftarrow \sum_{\text{pending } u \in j} u_{\text{duration}} * |\mathbf{u}_{\text{demands}}|
              \texttt{perfScore}_t \leftarrow t_{\texttt{priScore}} \left\{ \texttt{pScore}_t, \texttt{oScore}_t \right\} - \eta \texttt{srpt}_j
              \leftarrow \arg \max \{ perfScore_t | t \} / / \text{ task with highest perf score } 
      if t^{best} = \emptyset then break // no new task can be scheduled on this
      machine:
       g' \leftarrow jobgroup with highest deficit counter
        if deficit<sub>g'</sub> \geq \kappa C then t^{\text{best}} \leftarrow \operatorname{arg\,max}\{\operatorname{perfScore}_t | t \in g'\};
      S \leftarrow S \cup t^{\overline{\text{best}}}
      deficit_{\sigma} \leftarrow deficit_{\sigma} +
                                                                   t \in \text{jobgroup } g
                                                                   otherwise
```